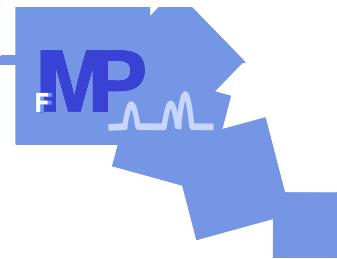


# Solid-state NMR advanced concepts I

Barth van Rossum, 08.06.2009



## Overview



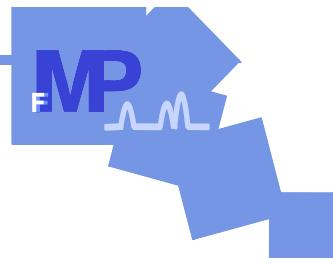
### dipolar interaction

- Hamiltonian
- recoupling
- dipolar truncation

### cross polarization (CP) - part II

### DNP (dynamic nuclear polarization)

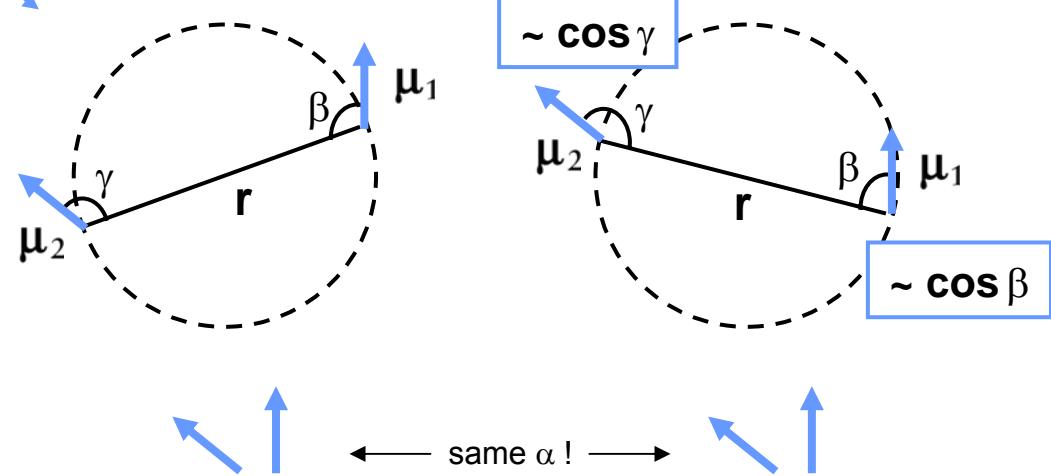
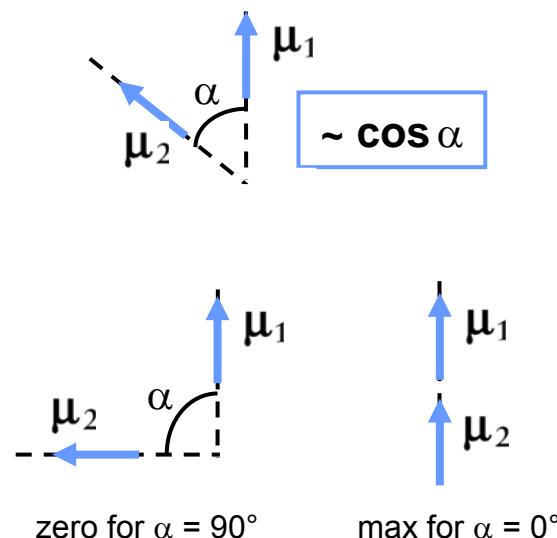
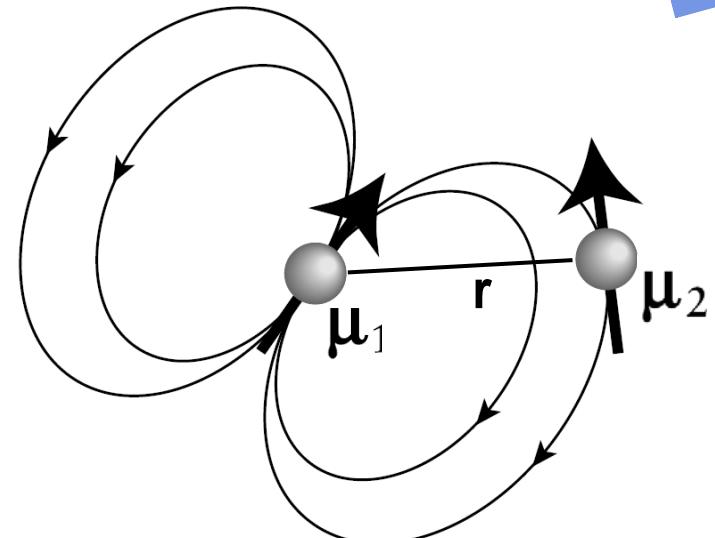


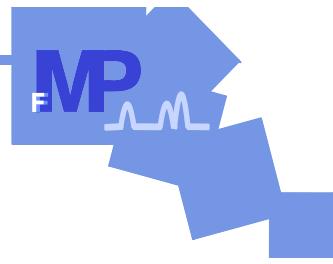


## Dipolar interaction

the dipolar coupling is the interaction between two magnetic moments  $\mu_1$  and  $\mu_2$

$$U = \left\{ \frac{\mu_1 \cdot \mu_2}{r^3} - 3 \frac{(\mu_1 \cdot \mathbf{r})(\mu_2 \cdot \mathbf{r})}{r^5} \right\} \frac{\mu_0}{4\pi}$$

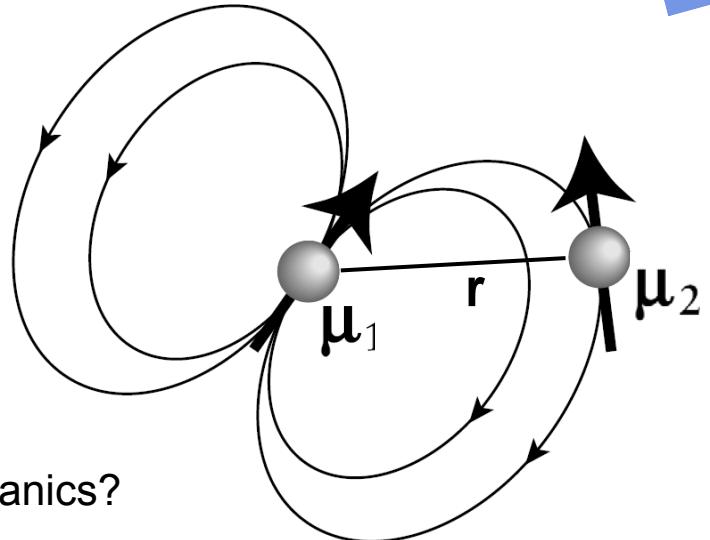




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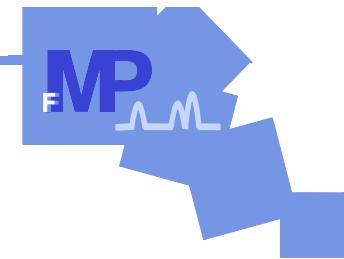
how does the dipolar coupling look in quantum mechanics?

$$\mu \rightarrow \hat{\mu} = \gamma \hbar \hat{\mathbf{I}}$$

(correspondence principle)

$$\hat{H}_{dd} = -\left(\frac{\mu_0}{4\pi}\right) \gamma_I \gamma_S \hbar \left( \frac{\mathbf{I} \cdot \mathbf{S}}{r^3} - 3 \frac{(\mathbf{I} \cdot \mathbf{r})(\mathbf{S} \cdot \mathbf{r})}{r^5} \right)$$





## Dipolar interaction

$$\hat{H}_{dd} = -\left(\frac{\mu_0}{4\pi}\right)\gamma_I\gamma_S\hbar\left(\frac{\mathbf{I}\cdot\mathbf{S}}{r^3} - 3\frac{(\mathbf{I}\cdot\mathbf{r})(\mathbf{S}\cdot\mathbf{r})}{r^5}\right)$$

$$\hat{H}_{dd} = -\left(\frac{\mu_0}{4\pi}\right)\frac{\gamma_I\gamma_S\hbar}{r^3}[A + B + C + D + E + F] \quad \text{"dipolar alphabet"}$$

$$A = \hat{I}_z\hat{S}_z(3\cos^2\theta - 1)$$

$$B = -\frac{1}{2}(\hat{I}_x\hat{S}_x + \hat{I}_y\hat{S}_y)(3\cos^2\theta - 1)$$

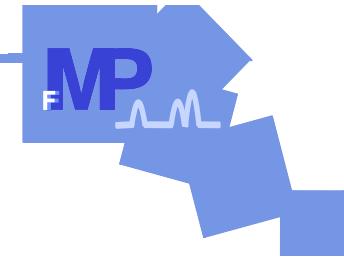
$$C = -\frac{3}{2}[\hat{I}_z\hat{S}_+ + \hat{I}_+\hat{S}_z]\sin\theta\cos\theta e^{-i\phi}$$

$$D = -\frac{3}{2}[\hat{I}_z\hat{S}_- + \hat{I}_-\hat{S}_z]\sin\theta\cos\theta e^{+i\phi}$$

$$E = -\frac{3}{4}[\hat{I}_+\hat{S}_+]\sin^2\theta e^{-2i\phi}$$

$$F = -\frac{3}{4}[\hat{I}_-\hat{S}_-]\sin^2\theta e^{+2i\phi}$$





## Dipolar interaction

Zeeman interaction (~500 MHz)  $\gg$  dipolar interaction (~50 kHz)

Only terms that commute with Zeeman interaction ( $I_z$ ) remain

$A, B$  – terms:

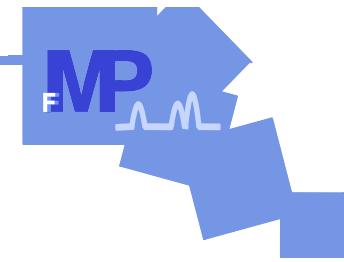
commute with  $I_z$  (“secular terms”)  $\rightarrow$  no time evolution under  $I_z$

$C, D, E, F$  – terms:

do not commute with  $I_z$  (“non-secular terms”)  $\rightarrow$  time evolution under  $I_z$   
 $\rightarrow$  averaged to zero

$\rightarrow$  ‘truncation’ or ‘quenching’





## Dipolar interaction

$$\hat{H}_{dd} = -\left(\frac{\mu_0}{4\pi}\right) \frac{\gamma_I \gamma_S \hbar}{r^3} [A + B + \cancel{C} + \cancel{D} + \cancel{E} + \cancel{F}]$$

truncated

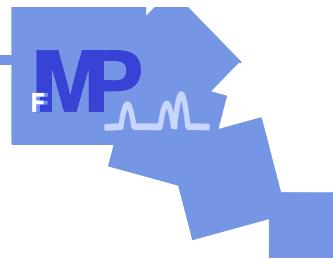
$$\hat{H}_{dd}^{\text{homo}} = -\left(\frac{\mu_0}{4\pi}\right) \frac{\gamma_I \gamma_S \hbar}{r^3} (3 \cos^2 \theta - 1) \left[ \hat{I}_z \hat{S}_z - \frac{1}{2} (\hat{I}_x \hat{S}_x + \hat{I}_y \hat{S}_y) \right]$$

$r$  and  $\theta$  : spatial parameters

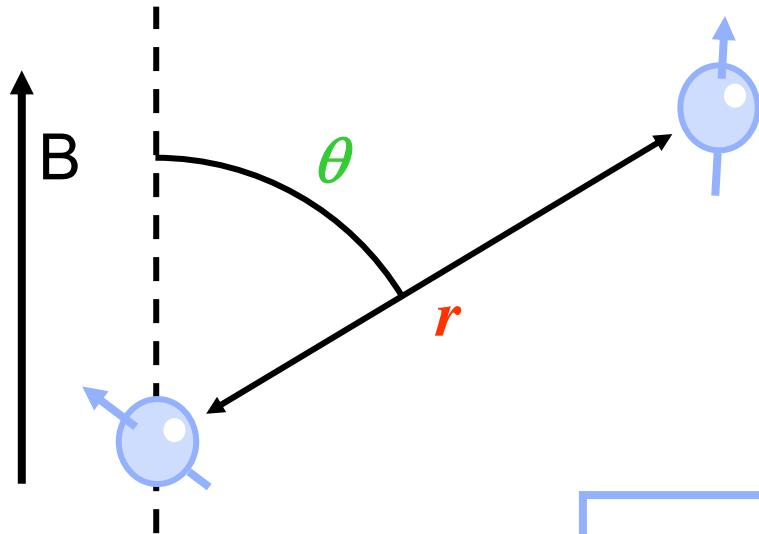
$B$ -term only relevant when  $\omega_I \sim \omega_S$   
 homonuclear case (e.g.  $^1\text{H}-^1\text{H}$ )  $\rightarrow$   $B$ -term  
 heteronuclear case (e.g.  $^1\text{H}-^{13}\text{C}$ )  $\rightarrow$   $\cancel{B\text{-term}}$

$$\hat{H}_{dd}^{\text{hetero}} = -\left(\frac{\mu_0}{4\pi}\right) \frac{\gamma_I \gamma_S \hbar}{r^3} (3 \cos^2 \theta - 1) \hat{I}_z \hat{S}_z$$





## Dipolar interaction



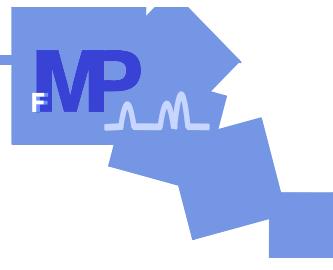
the dipolar coupling depends on :

- the distance between the spins ( $r$ )
- the angle  $\theta$  between the magnetic field  $B$  and the vector connecting the spins

$$D \propto \frac{1}{r^3} \underbrace{\left( 3\cos^2 \theta - 1 \right)}_{}$$

$$\left\langle 3\cos^2 \theta - 1 \right\rangle \left\{ \begin{array}{l} = 0 \text{ in isotropic liquids} \\ \neq 0 \text{ in solids or oriented media} \end{array} \right.$$

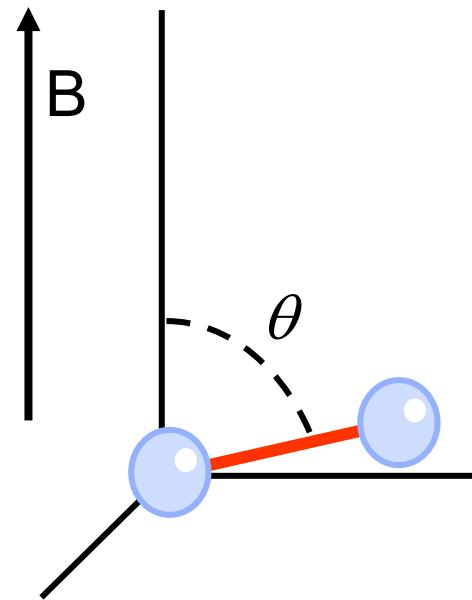




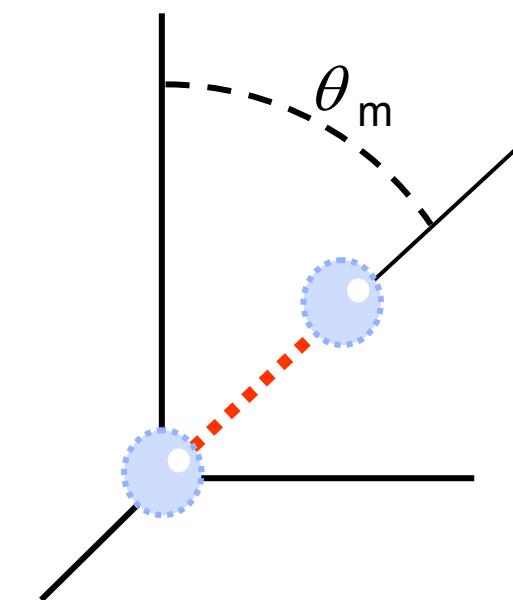
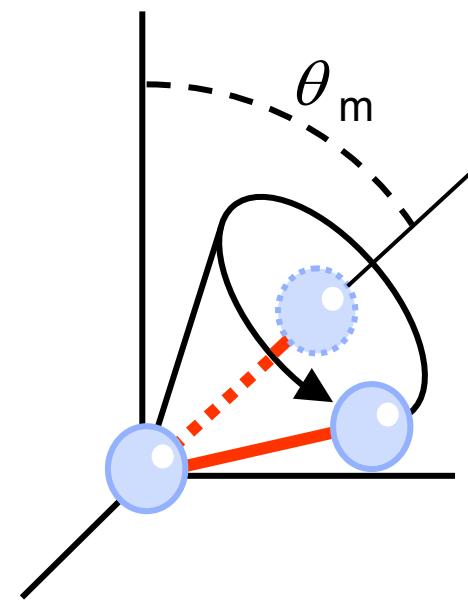
## Dipolar interaction

under magic angle spinning, the average angle

between the connection vector and B is the magic angle  $\theta_m$



$$3\cos^2 \theta - 1 \neq 0$$

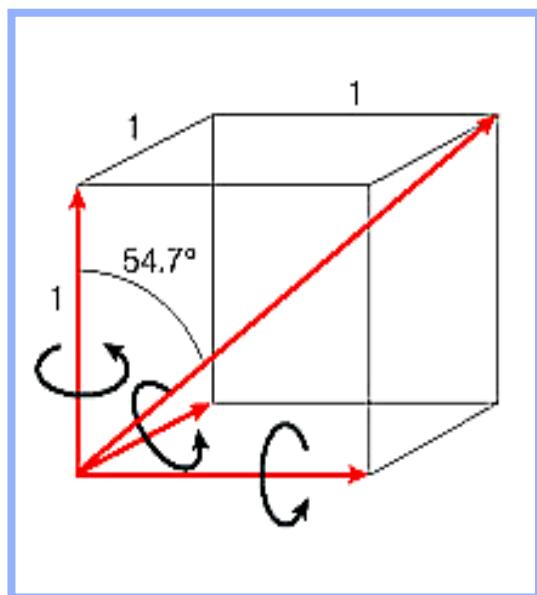


$$3\cos^2 \theta_m - 1 = 0$$

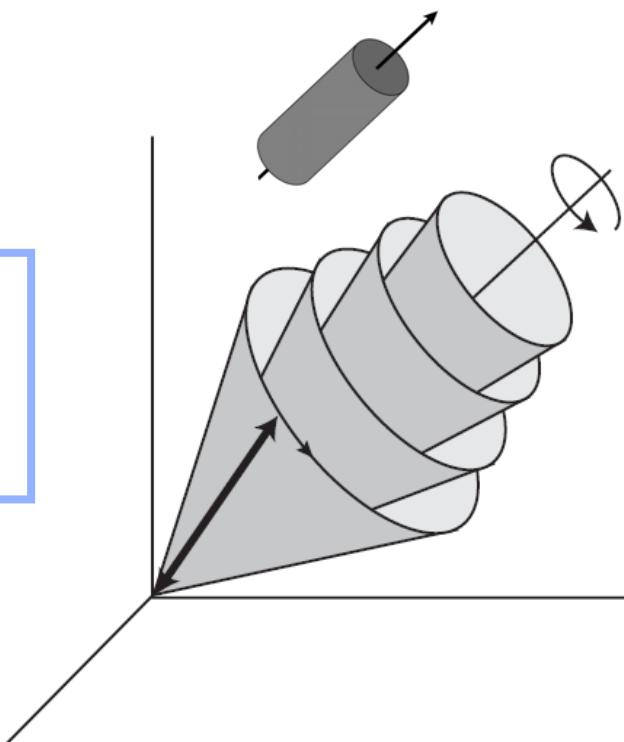


## Dipolar interaction

The time average of every spin-pair has the connecting vector at the magic-angle  $\rightarrow$  time average is zero for  $\theta = 54.7^\circ$



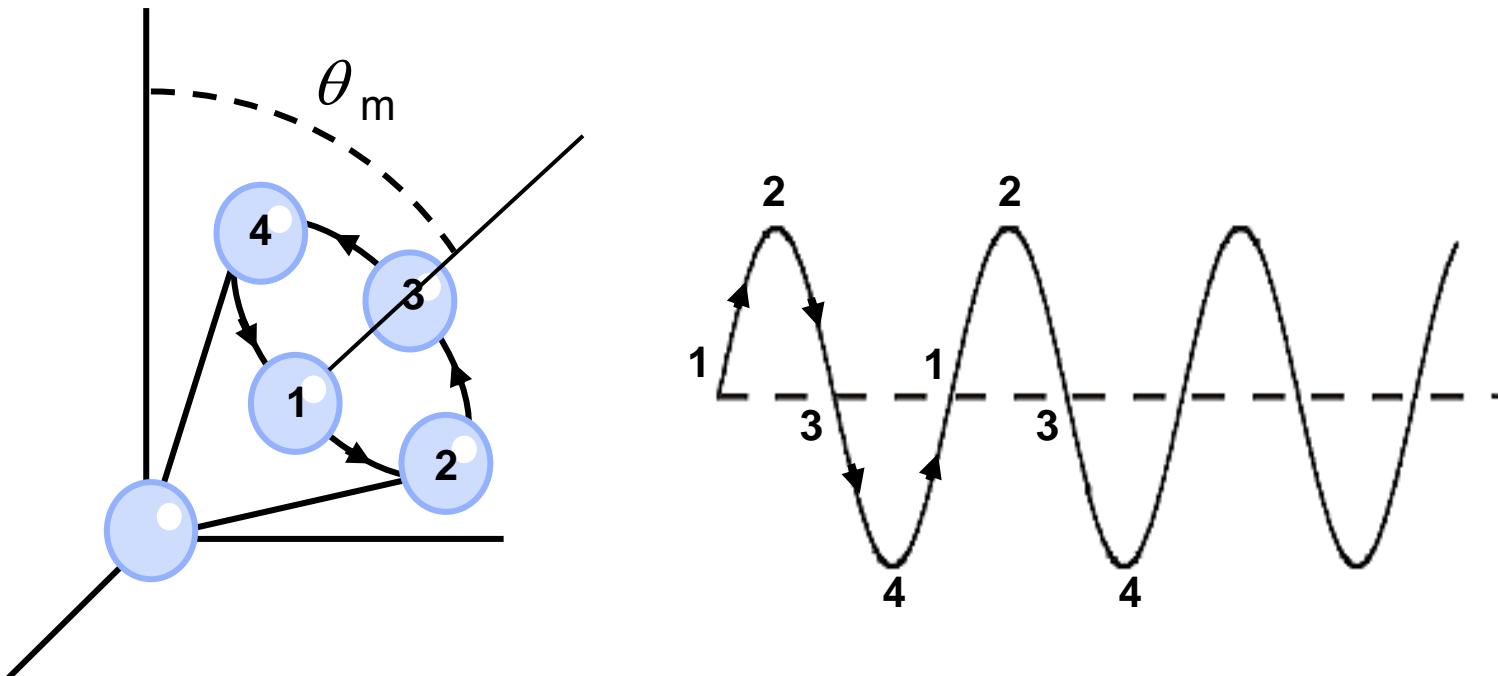
$$3\cos^2 \theta_m - 1 = 0$$
$$\theta = 54.7^\circ$$



## Dipolar interaction

Note: the time average is zero, **not** the dipolar coupling itself

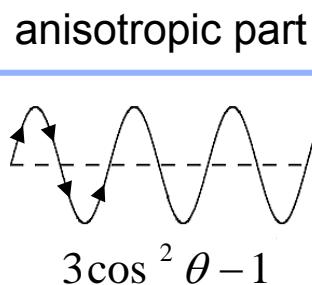
the dipolar interaction is time dependent and oscillates around 0



## Interaction under MAS

Similar considerations can be made for any interaction that contains the  $3\cos^2\theta - 1$  term, like the chemical shift interaction

### Chemical shift interaction

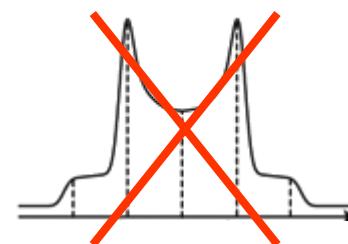
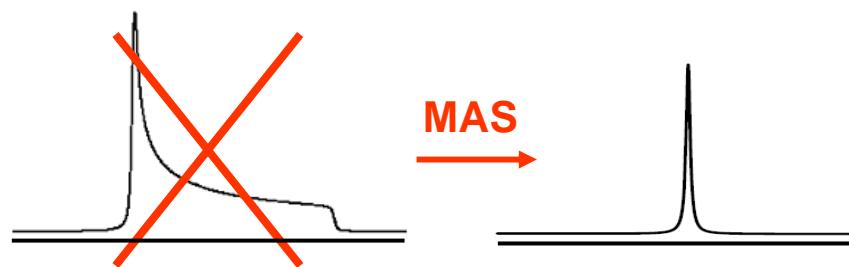
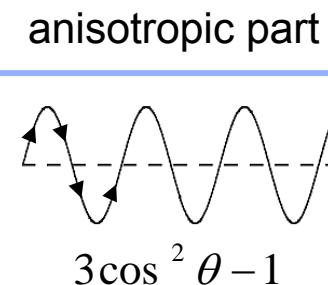


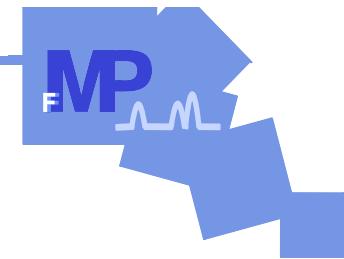
+

isotropic part

not orientation dependent

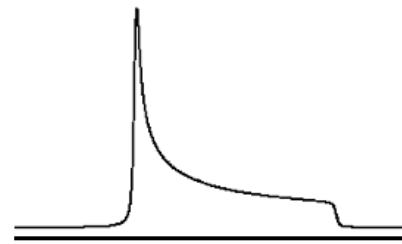
### Dipolar interaction





## -intermezzo-

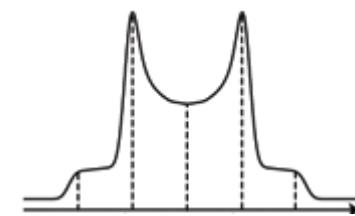
### Chemical shift interaction



time evolution:

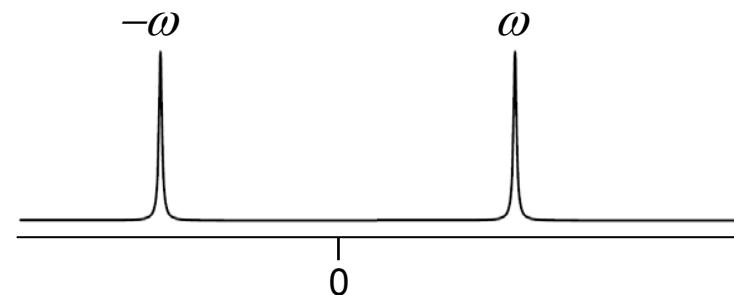
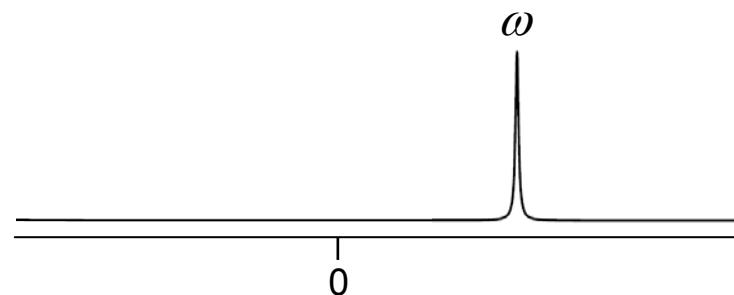
$$\propto e^{i\omega t}$$

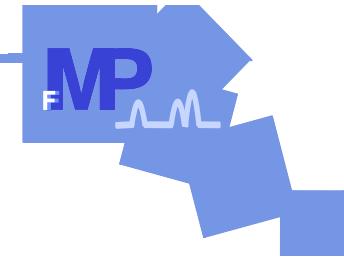
### Dipolar interaction



time evolution:

$$\propto \cos \omega t$$
$$= \frac{e^{i\omega t} + e^{-i\omega t}}{2}$$





## Interaction under MAS

MAS efficiently suppresses chemical shift anisotropy  
→ high-resolution  $^{13}\text{C}$  and  $^{15}\text{N}$  spectra

concerning dipolar interactions, MAS generally does not give what you would like...

this is what you want...

$^{13}\text{C}$  -  $^1\text{H}$  (resolution)

$^1\text{H}$  -  $^1\text{H}$  (resolution)

$^{13}\text{C}$ - $^{13}\text{C}$  (correlations)

... and this is what you get!

$^{13}\text{C}$  -  $^1\text{H}$

$^1\text{H}$  -  $^1\text{H}$

$^{13}\text{C}$ - $^{13}\text{C}$

← decoupling

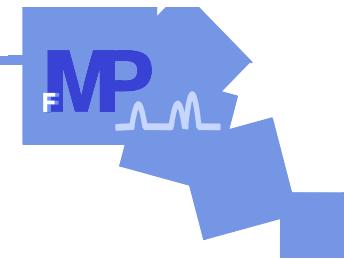
← decoupling or  $^2\text{H}$

← recoupling

the invention of recoupling sequences formed an integral part of the solid-state NMR research (and snobbishness) during the last decade

... and each new one was better, and even more better. And even better than the one that was already better...no this one is really better than the others. No! this one is better, it is the best! bla bla etc...(Hey, heck, nobody is using this sequence called USEME!)

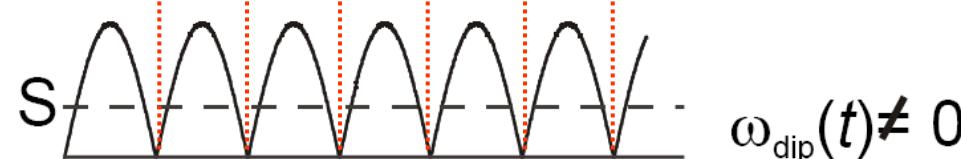
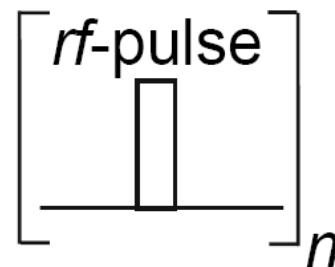
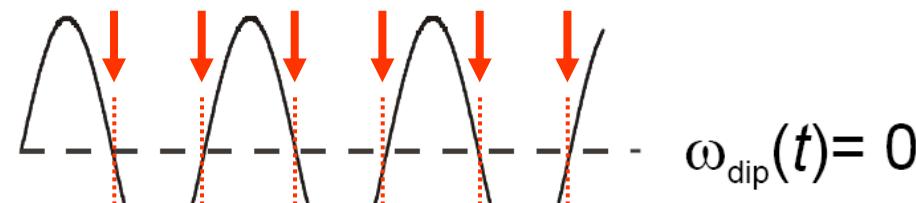


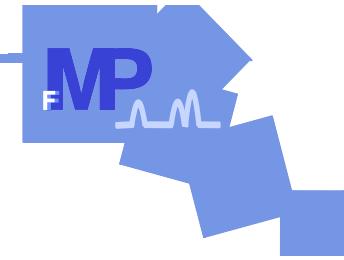


## Recoupling

The time-average of the dipolar coupling is zero  
but **not** the instantaneous coupling, it is oscillating around zero

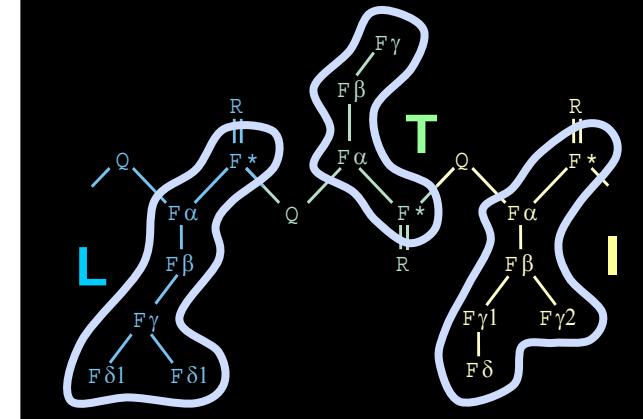
MAS





## Recoupling

recoupling techniques are useful for **short-range** transfer  
(e.g., for assignment of spin systems)



only for pair-wise isotope labelling, highly accurate distance information can be obtained

$$D \propto \frac{1}{r^3} (3\cos^2 \theta - 1)$$

however, distance information is more difficult to obtain if more than two spins interact

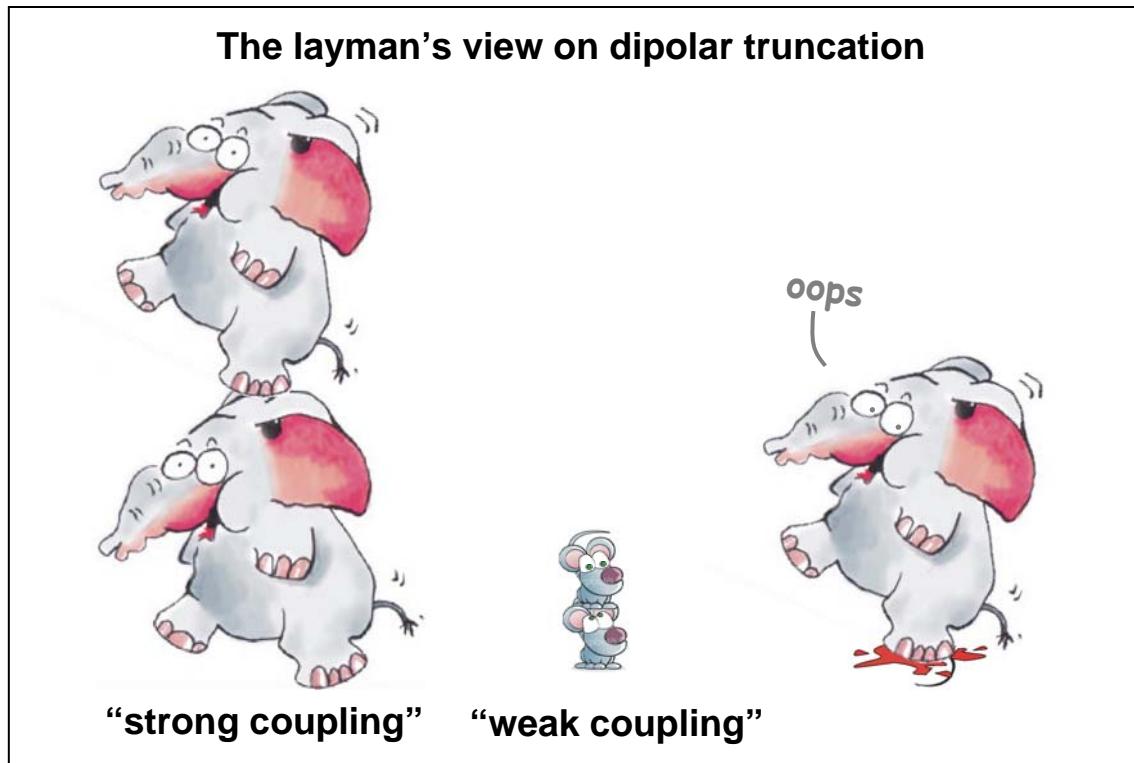
in particular, for uniform isotope labelling, long range transfer is difficult due to **dipolar truncation** effects



## Dipolar truncation

the phenomenon that weak couplings are 'quenched' by the strong couplings  
→ weak couplings contain the long-range distance information

$$D \propto \frac{1}{r^3} (3\cos^2 \theta - 1)$$



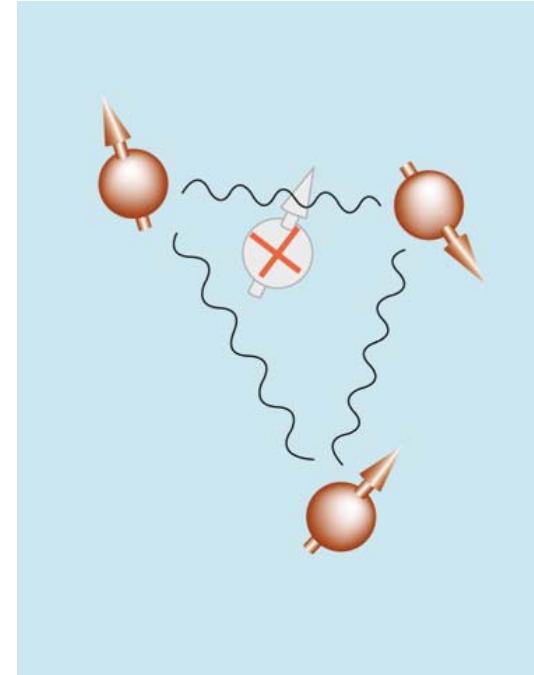
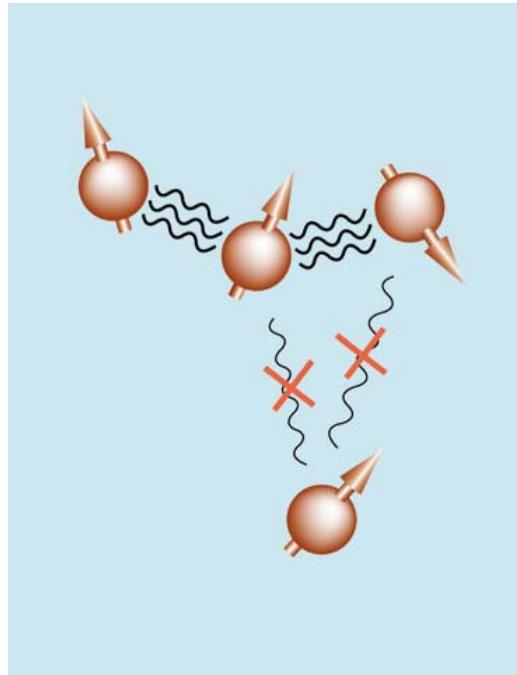
## Dipolar truncation

the phenomenon that weak couplings are 'quenched' by the strong couplings

→ weak couplings contain the long-range distance information

→ spin dilution

$$D \propto \frac{1}{r^3} (3\cos^2 \theta - 1)$$



note: pair-wise labelling is maximal spin dilution



## Dipolar truncation

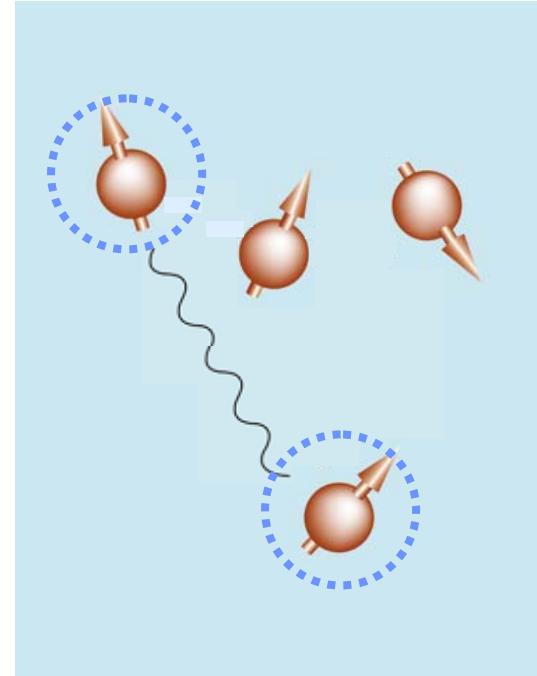
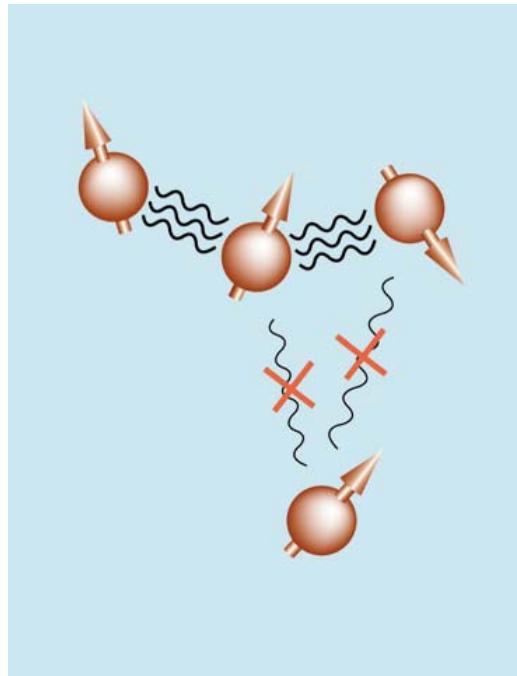
the phenomenon that weak couplings are 'quenched' by the strong couplings

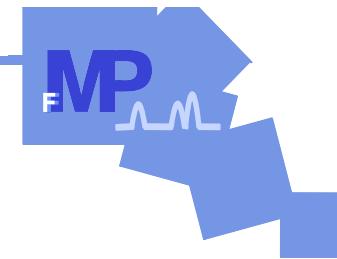
→ weak couplings contain the long-range distance information

→ spin dilution

→ selective recoupling

$$D \propto \frac{1}{r^3} (3\cos^2 \theta - 1)$$



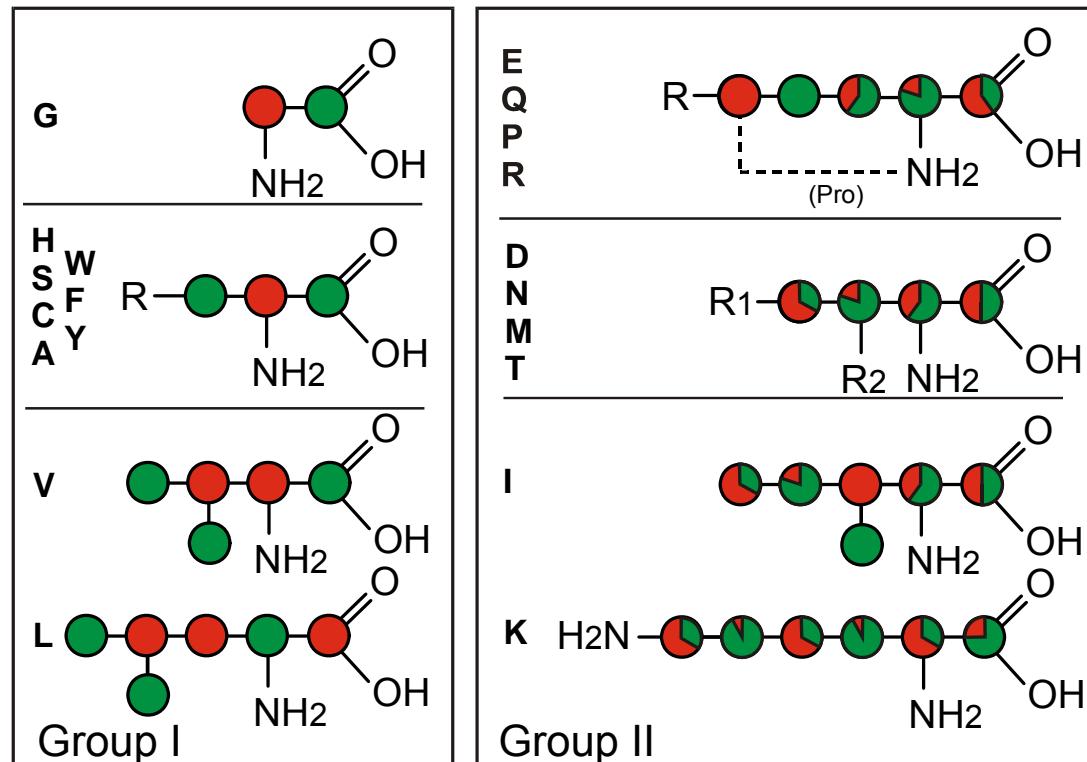


## Extensive $^{13}\text{C}$ labelling to reduce dipolar truncation

amino-acid labelling bacteria grown on:

1,3- $^{13}\text{C}$  glycerol (green)

or 2- $^{13}\text{C}$  glycerol (red)



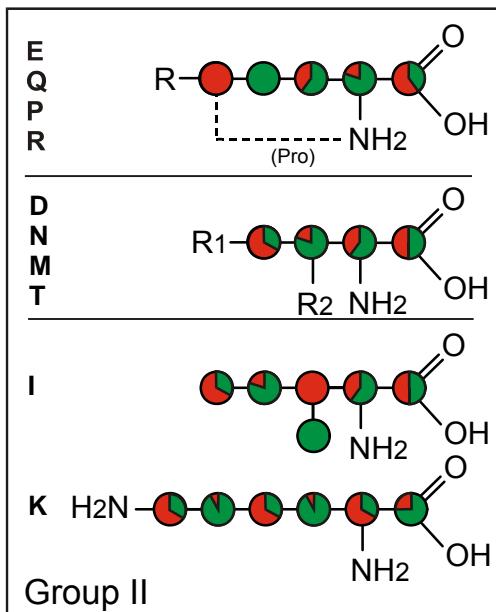
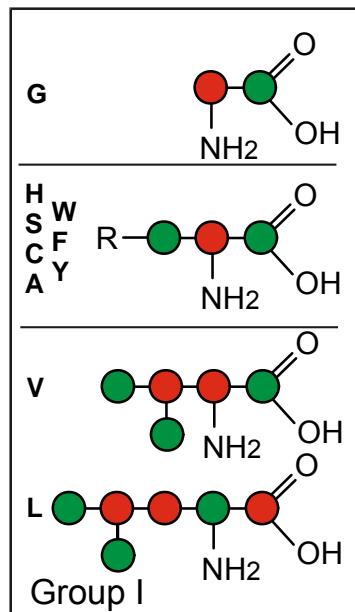
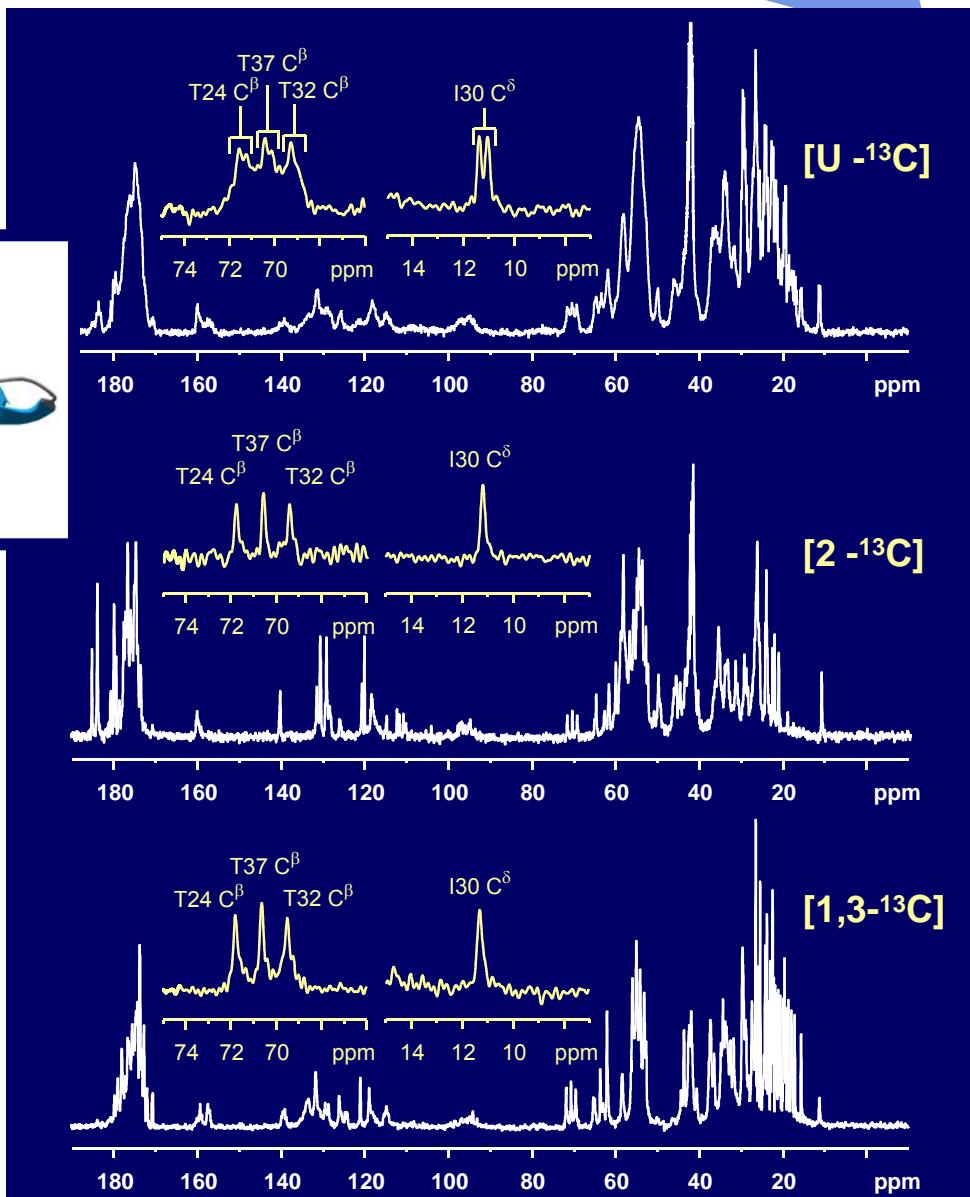
labelling mostly alternating  
 → strong couplings removed  
 → weak couplings not quenched

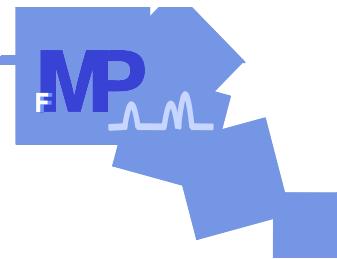
however, analytical treatment will still be extremely difficult



## Extensive $^{13}\text{C}$ labelling to reduce dipolar truncation

- less signals in the spectra
  - partial suppression of  $J$ -couplings
  - less assignment options





## Overview

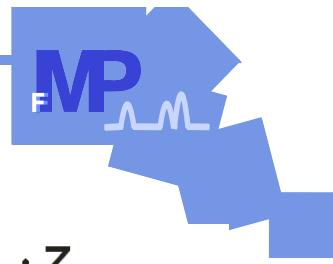
dipolar interaction

- Hamiltonian
- recoupling
- dipolar truncation

 cross polarization (CP) - part II

DNP (dynamic nuclear polarization)

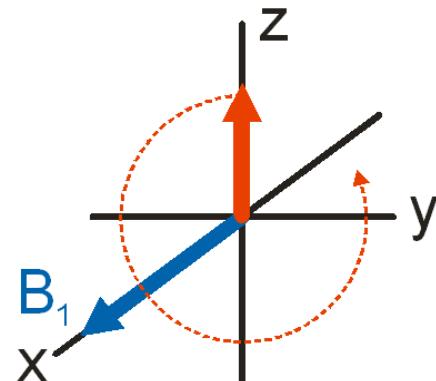




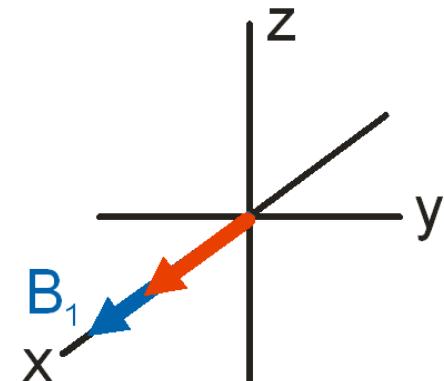
## Cross polarization (CP) – part II

first to refresh your memory:

during CP, both spin-types ( $^1\text{H}$  and  $^{13}\text{C}$ )  
are '**spin-locked**'

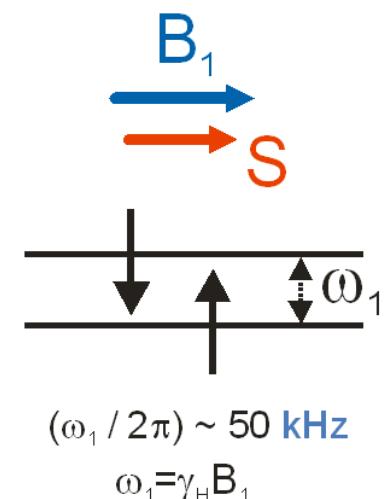
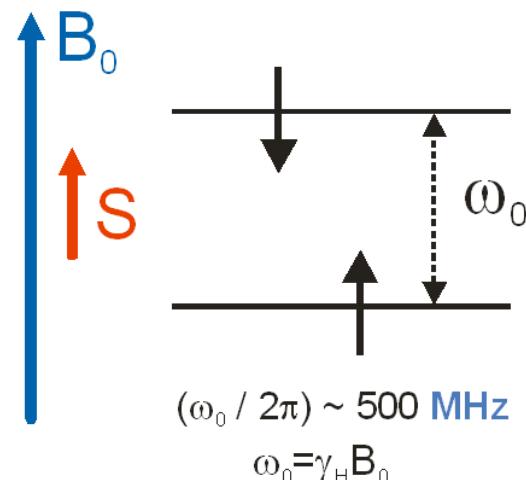


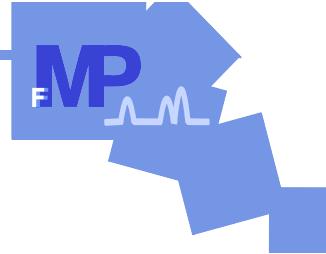
pulse :  
spins rotate



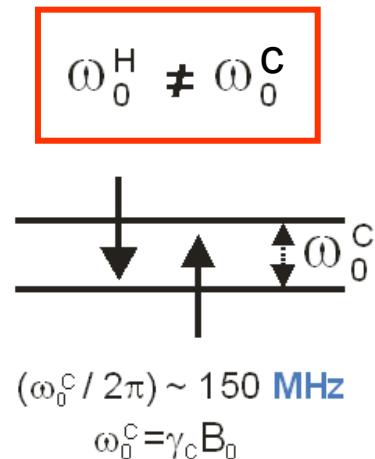
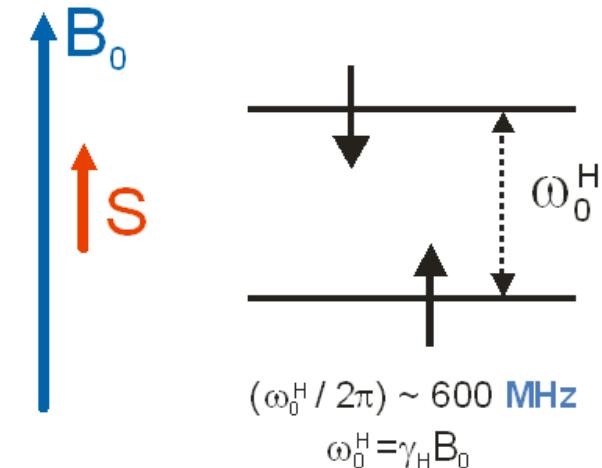
spin-lock pulse:  
spins are trapped

like the Zeeman interaction, the  
spin-lock pulse gives rise to a  
**splitting** (spin up, spin down)

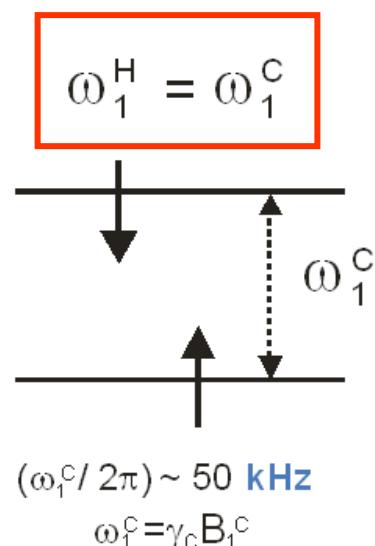
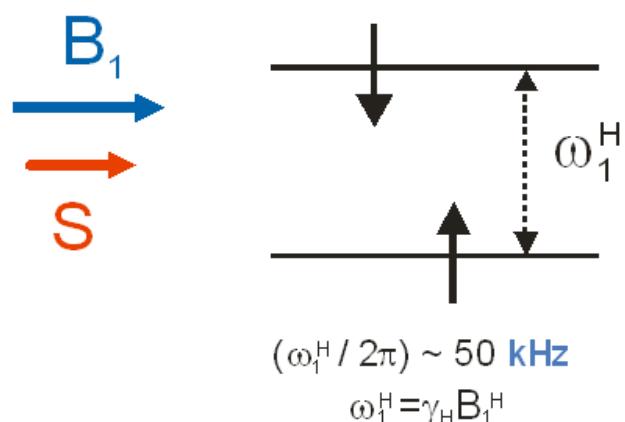




## Cross polarization (CP) – part II

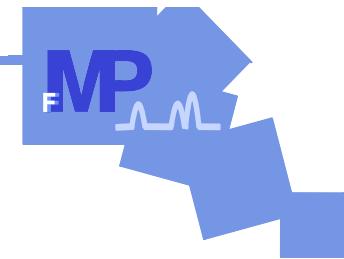


since  $B_0$ ,  $\gamma_H$  and  $\gamma_C$  are all fixed, the Zeeman splitting is different for  $^1\text{H}$  and  $^{13}\text{C}$  ...



... however, the spin-lock fields  $B_1^H$  and  $B_1^C$  can be **chosen** so that the splitting for  $^1\text{H}$  and  $^{13}\text{C}$  becomes equal

**Hartmann-Hahn Matching**

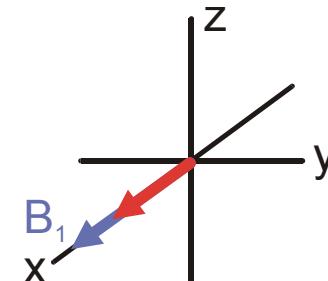


## Cross polarization (CP) – part II

the heteronuclear dipolar interaction between  $^1\text{H}$  (*I*-spins) and  $^{13}\text{C}$  (*S*-spins) drives the polarization transfer:

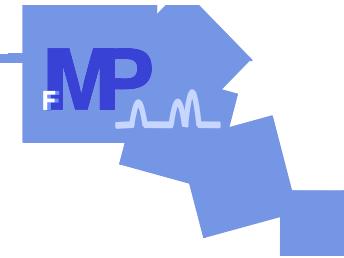
$$H \sim b \cdot I_z \cdot S_z$$

during CP, the spin lock pulses are along x-axis...



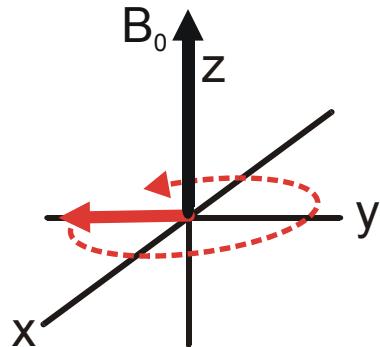
...transform to a frame that rotates around the x-axis



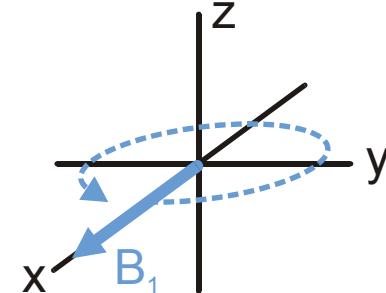


## -intermezzo- rotating frames

in NMR, everything is rotating...



spins rotate with the Larmor frequency...

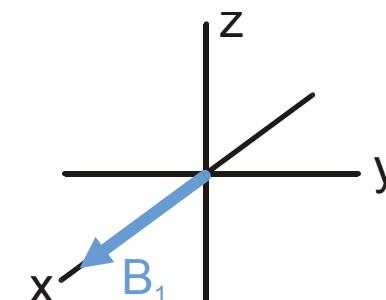
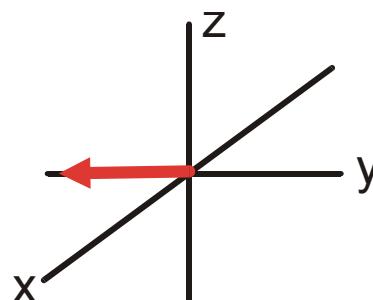


RF pulses are rotating with the Larmor frequency...

WTF...

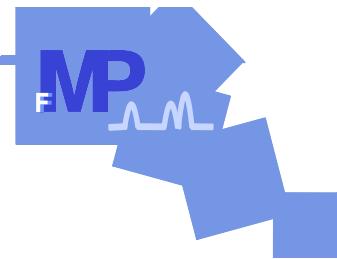


it is as if the Zeeman interaction has 'gone'.....



these kind of transformations are quite common in NMR (rotating frame, interaction frame...)



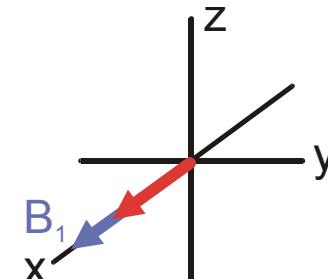


## Cross polarization (CP) – part II

the heteronuclear dipolar interaction between  $^1\text{H}$  (*I*-spins) and  $^{13}\text{C}$  (*S*-spins) drives the polarization transfer:

$$H \sim b \cdot I_z \cdot S_z$$

during CP, the spin lock pulses are along x-axis...

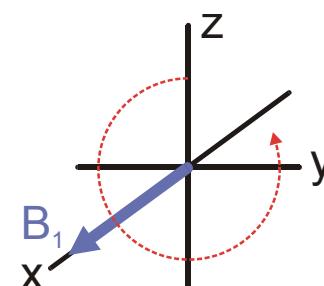


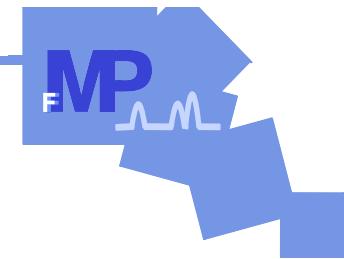
...transform to a frame that rotates around the x-axis with  $\omega_1^H$  (for the *I* spins) and  $\omega_1^C$  (for the *S* spins)

$$H' \sim b' \cdot (I_z \cdot S_z + I_y \cdot S_y) \cos(\omega_1^H - \omega_1^C)t =$$

$$= b' \cdot (I_z \cdot S_z + I_y \cdot S_y) \quad [ \text{for } \omega_1^H = \omega_1^C ]$$

Hartmann-Hahn matching !





## Cross polarization (CP) – part II

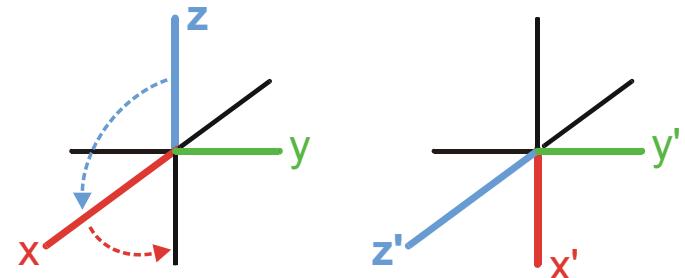
$$H' \sim b' \cdot (I_z \cdot S_z + I_y \cdot S_y)$$

the magnetization is along x-axis

→ transform to a frame with the new **z' axis** along the old **x-axis**

replace x,y,z as follows:

$$\begin{cases} x \rightarrow z' & \text{or} \\ y \rightarrow y' & \text{or} \\ z \rightarrow -x' & \text{or} \end{cases} \quad \begin{cases} I_x \rightarrow I_z \\ I_y \rightarrow I_y \\ I_z \rightarrow -I_x \end{cases}$$

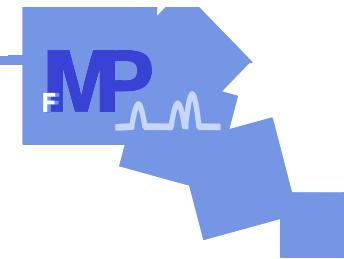


$$H'' \sim b' \cdot (I_x \cdot S_x + I_y \cdot S_y)$$

rewrite, using raising and lowering operators:

$$\begin{cases} I_x = \frac{1}{2} (I^+ + I^-) \\ I_y = -\frac{1}{2}i (I^+ - I^-) \end{cases}$$





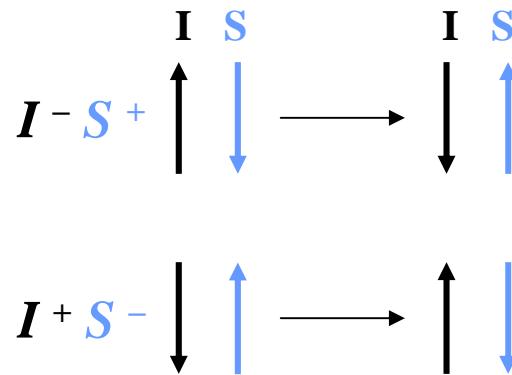
## Cross polarization (CP) – part II

$$H'' = b' \cdot (\mathbf{I}_x \cdot \mathbf{S}_x + \mathbf{I}_y \cdot \mathbf{S}_y)$$

$$H'' = b' [ \underbrace{\frac{1}{2}(\mathbf{I}^+ + \mathbf{I}^-)}_{\text{blue bracket}} \cdot \underbrace{\frac{1}{2}(\mathbf{S}^+ + \mathbf{S}^-)}_{\text{green bracket}} + (-\frac{1}{2}i)(\mathbf{I}^+ - \mathbf{I}^-) \cdot (-\frac{1}{2}i)(\mathbf{S}^+ - \mathbf{S}^-) ]$$

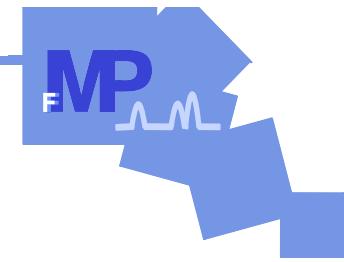
$$H'' = \frac{1}{2} \cdot b' (I^+ \cdot S^- + I^- \cdot S^+)$$

$$\begin{array}{ccc} \mathbf{I}^- \uparrow & \longrightarrow & \downarrow \\ & & \\ \mathbf{I}^+ \downarrow & \longrightarrow & \uparrow \end{array} \quad \begin{array}{ccc} \mathbf{I}^- \downarrow & \longrightarrow & 0 \\ & & \\ \mathbf{I}^+ \uparrow & \longrightarrow & 0 \end{array}$$

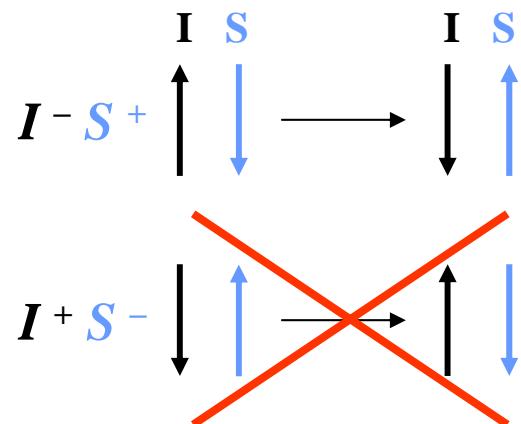
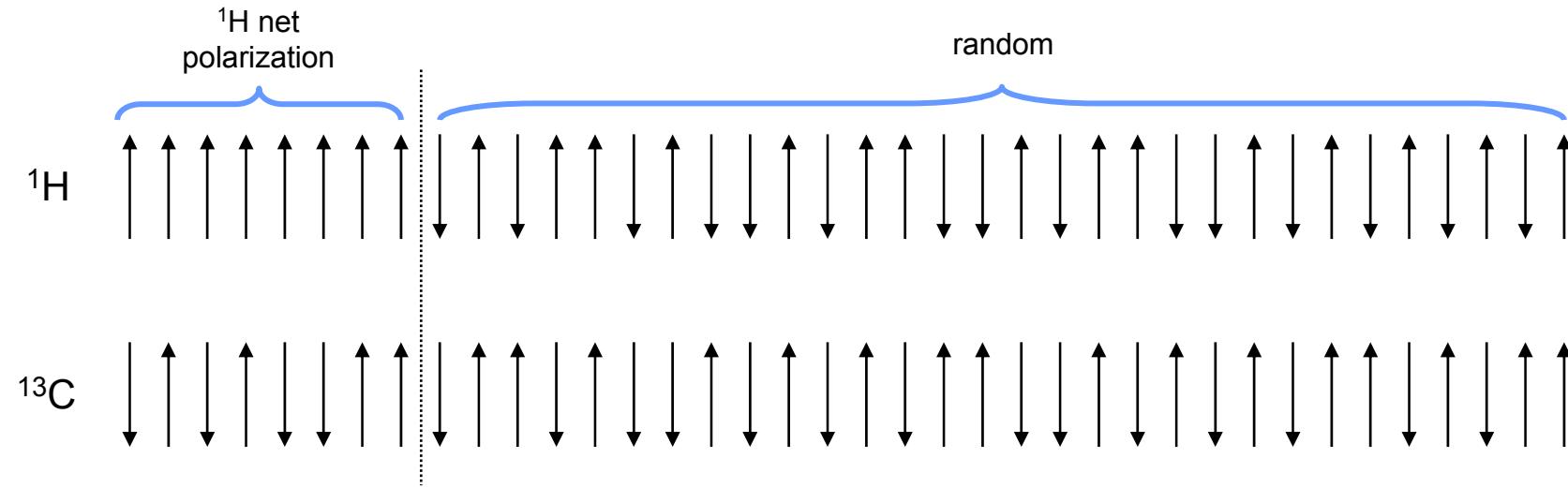


all other combinations give zero

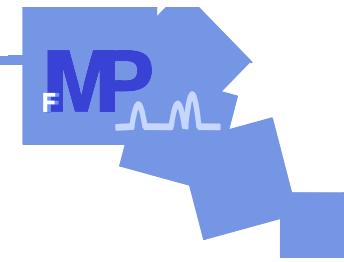




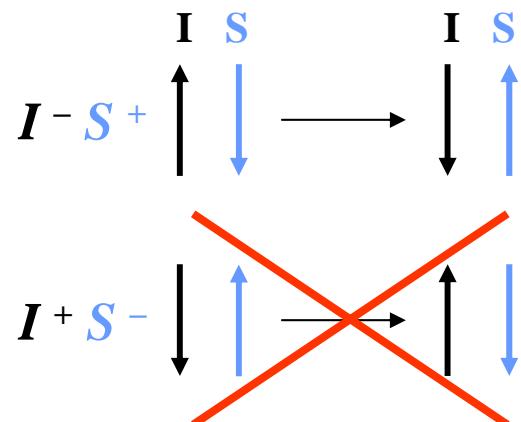
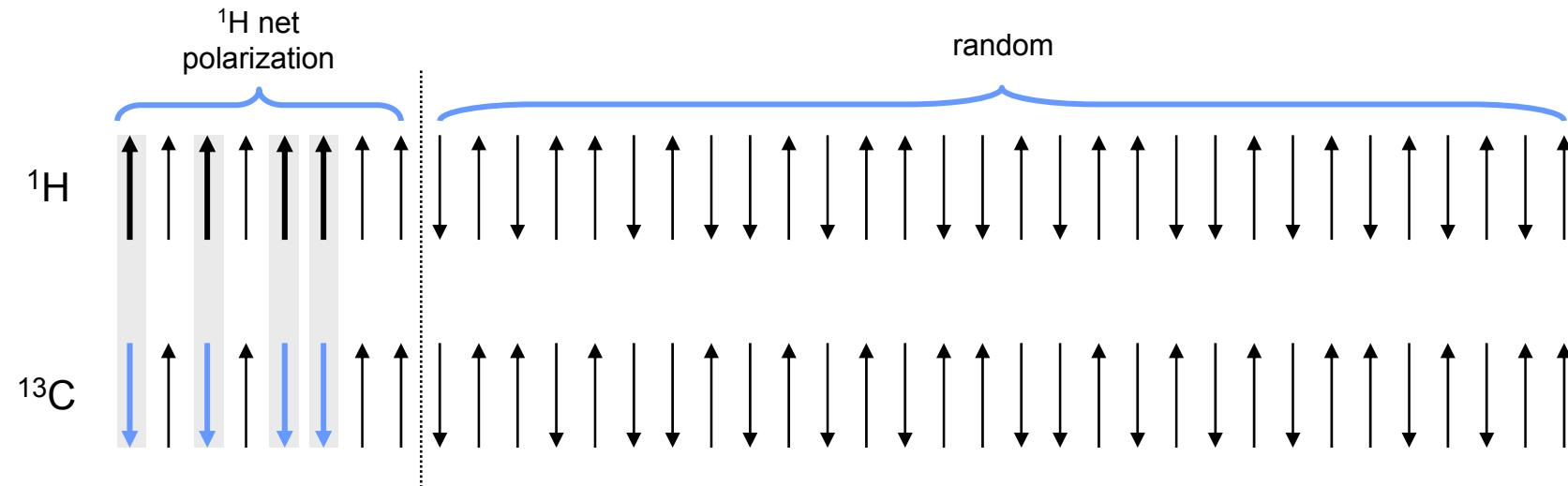
## Cross polarization (CP) – part II



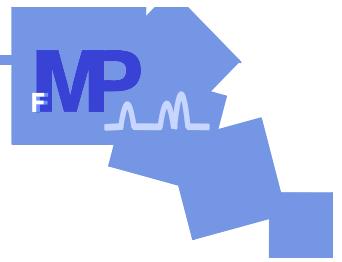
net magnetization is 'spin-up' for  $^1\text{H}$  ( $I$ -spins)



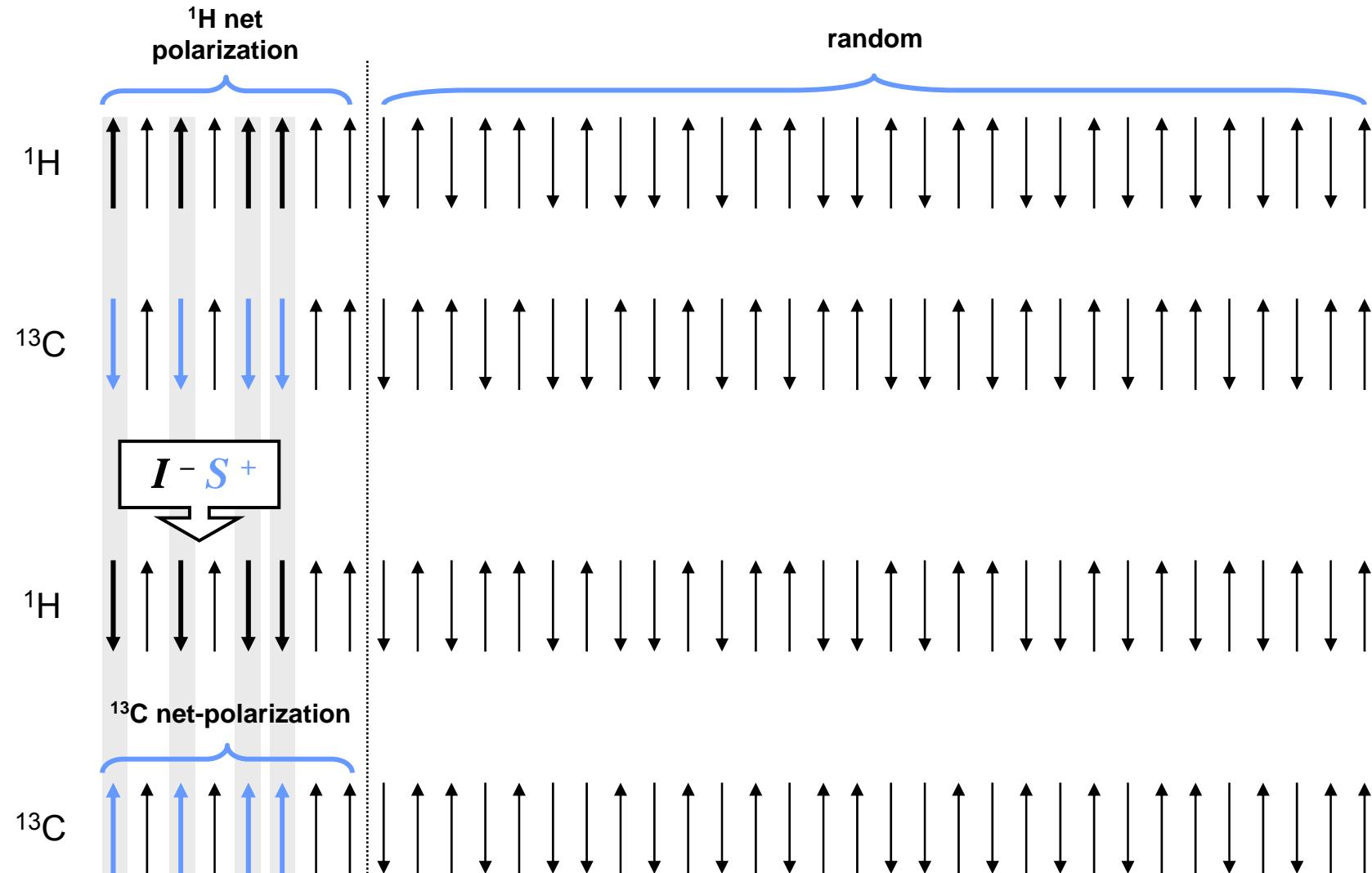
## Cross polarization (CP) – part II

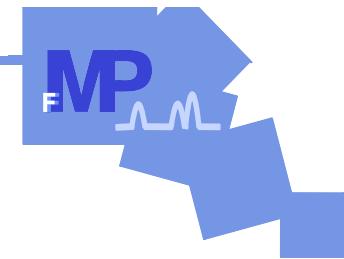


net magnetization is 'spin-up' for  ${}^1\text{H}$  ( $I$ -spins)



## Cross polarization (CP) – part II



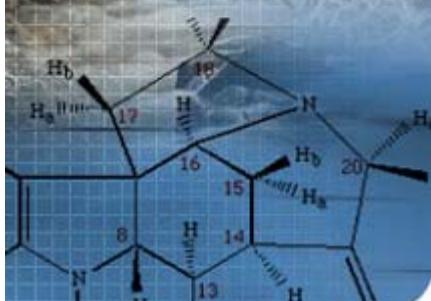


## Overview

dipolar interaction

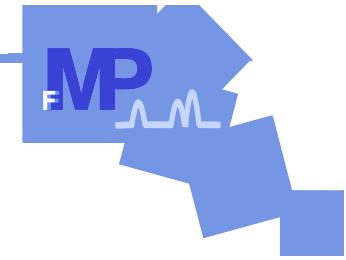
- Hamiltonian
- recoupling
- dipolar truncation

cross polarization (CP) - part II



DNP (dynamic nuclear polarization)





## DNP (dynamic nuclear polarization)

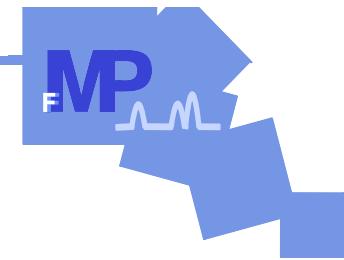
### Why DNP?

low sensitivity is one of the biggest bottlenecks in solid state NMR

( $^{13}\text{C}$  detection, relatively low resolution, small amount of sample)

→ DNP is a relatively new technique to enhance the sensitivity of NMR signals





## DNP (dynamic nuclear polarization)

standard cross-polarization (CP): use **protons** to enhance **carbon** signal

protons have a gamma (gyromagnetic ratio)  $\gamma_{1\text{H}}$  that is four times higher than  $\gamma_{13\text{C}}$

CP enhancement:  $\sim \gamma_{1\text{H}} / \gamma_{13\text{C}} \sim 4$

→ reduces time for signal averaging by factor  $4^2 = 16$  !

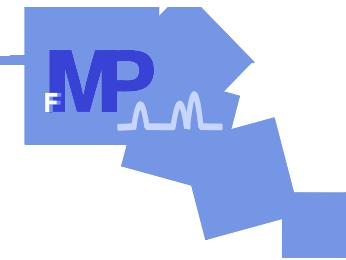
DNP: use **electrons** to enhance **proton** signal

electrons have a gamma  $\gamma_{1\text{e}}$  that is 660 times higher than  $\gamma_{1\text{H}}$

DNP enhancement:  $\sim \gamma_{1\text{e}} / \gamma_{1\text{H}} \sim 660$

→ reduces time for signal averaging by factor  $660^2 = \dots$





## DNP (dynamic nuclear polarization)

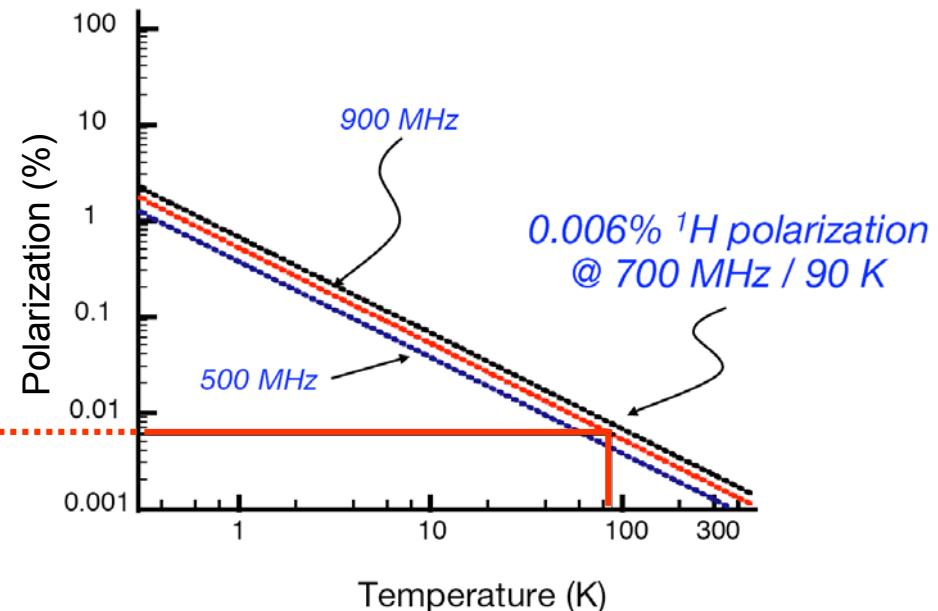
at 300K: ~0.002% of the protons are polarized (one  $^1\text{H}$  out of 50,000)

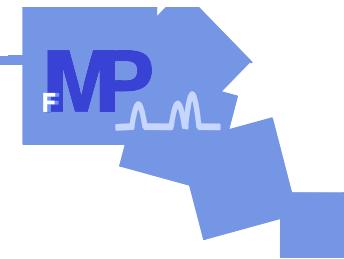
at 90K: ~0.006% of the protons are polarized (one  $^1\text{H}$  out of 17,000)

experiments performed at low temperature

- higher Boltzmann population
- higher sensitivity

at 90 K → increase of factor 3  
due to Boltzmann population



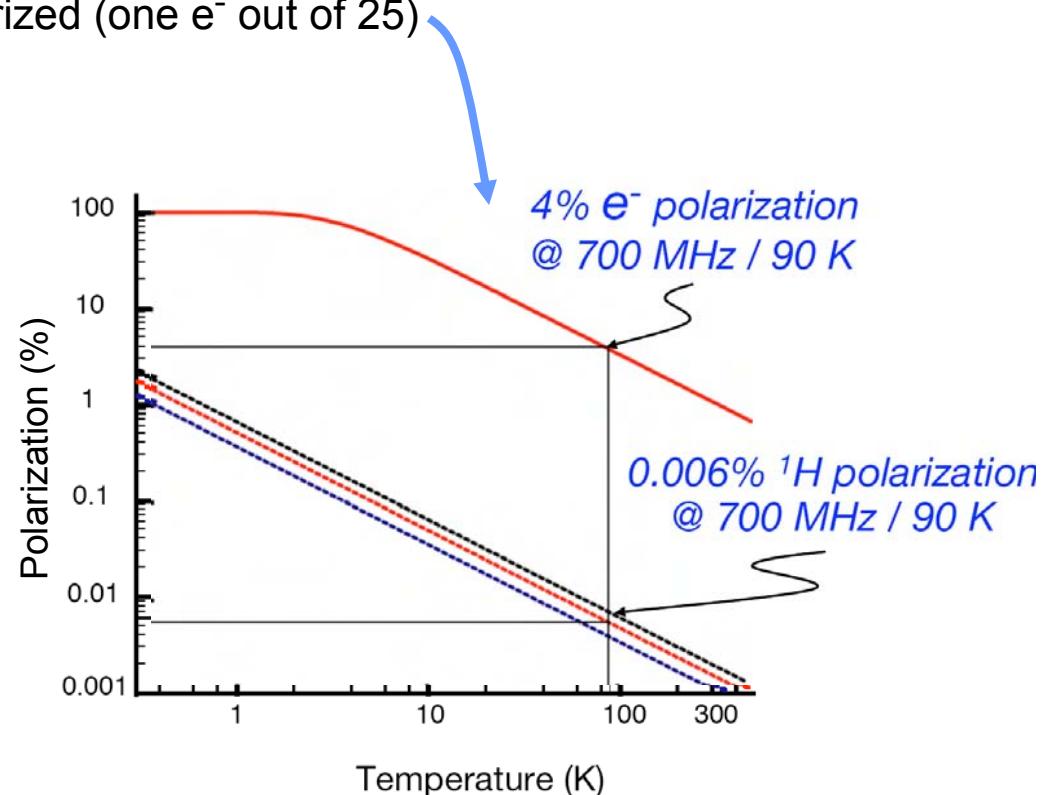


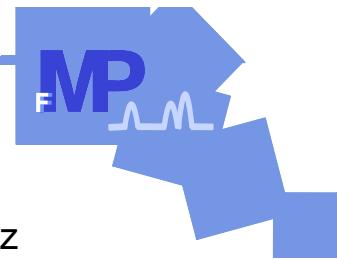
## DNP (dynamic nuclear polarization)

Electrons have a much higher  $\gamma_e$  → higher Boltzmann population

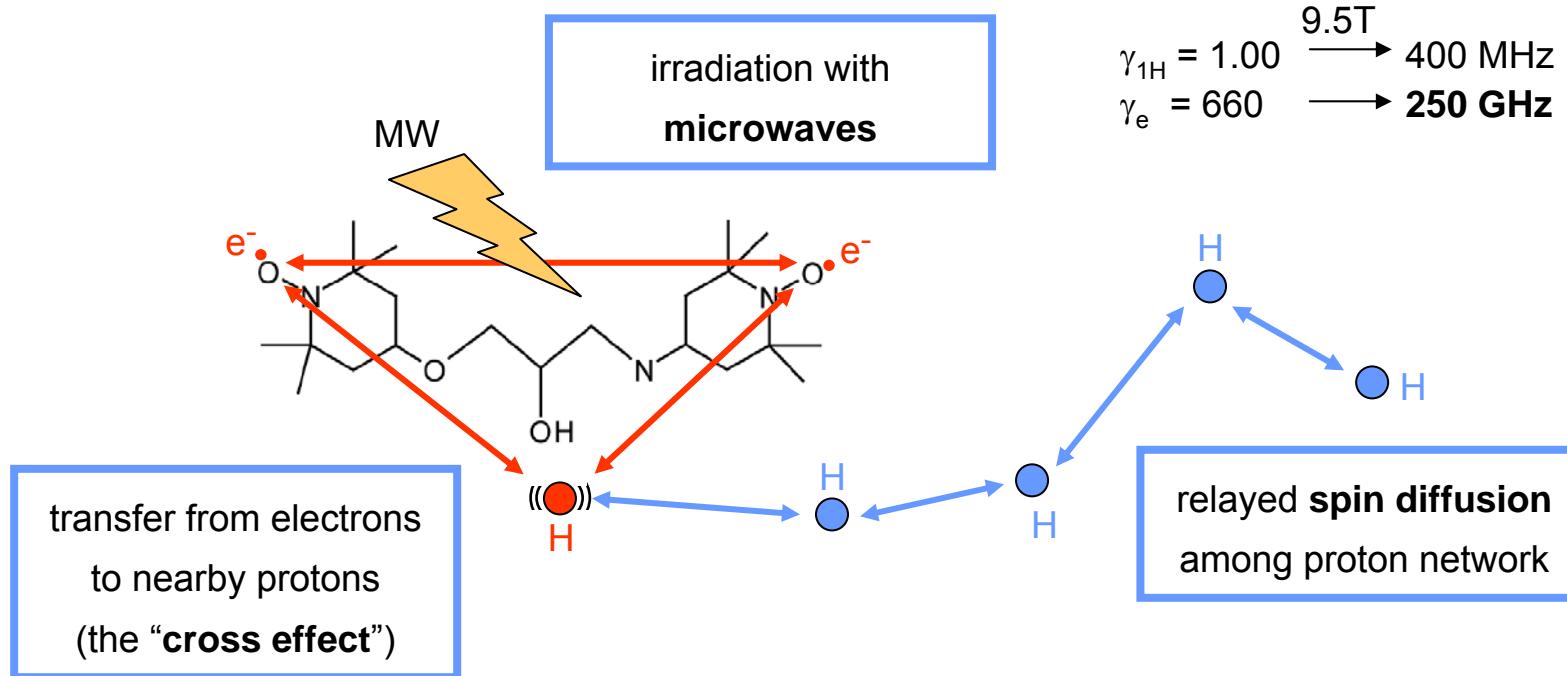
at 90K: ~0.006% of the protons are polarized (one  $^1\text{H}$  out of 17,000)  
~4% of the electrons are polarized (one  $e^-$  out of 25)

DNP = transfer of  $e^-$  polarization  
into nuclear ( $^1\text{H}$ ) polarization





## DNP (dynamic nuclear polarization)

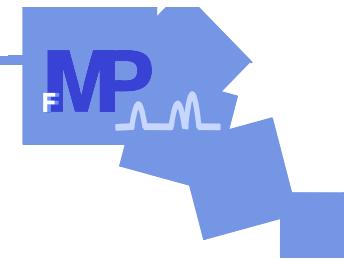


mixture of deuterated glycerol, D<sub>2</sub>O, H<sub>2</sub>O, biradical → provides glass forming matrix

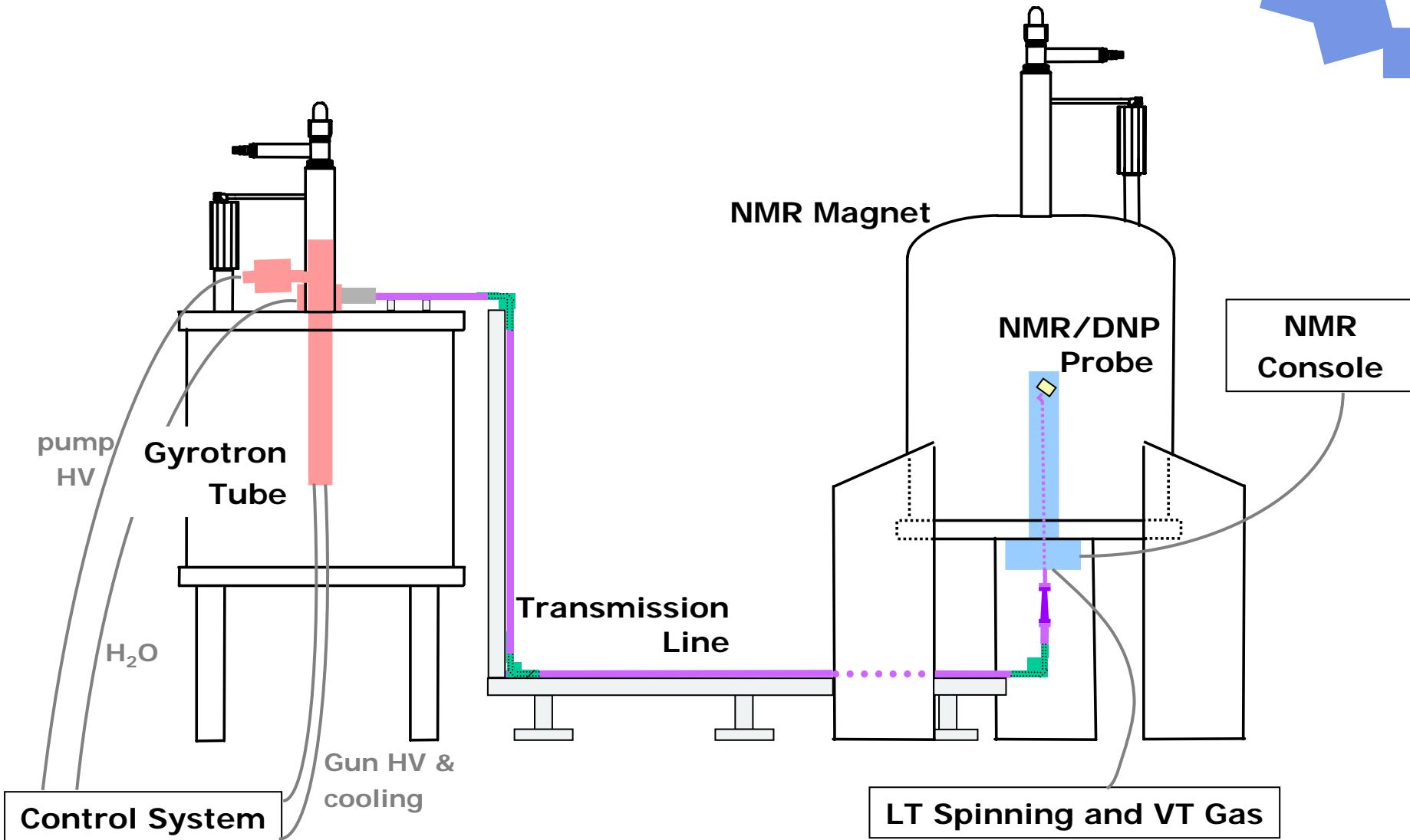
non-glass-forming matrix → crystals formed upon freezing  
 → much lower DNP enhancement

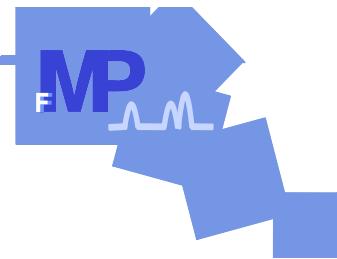
(partially) deuterated matrix → more complete polarization of smaller proton reservoir





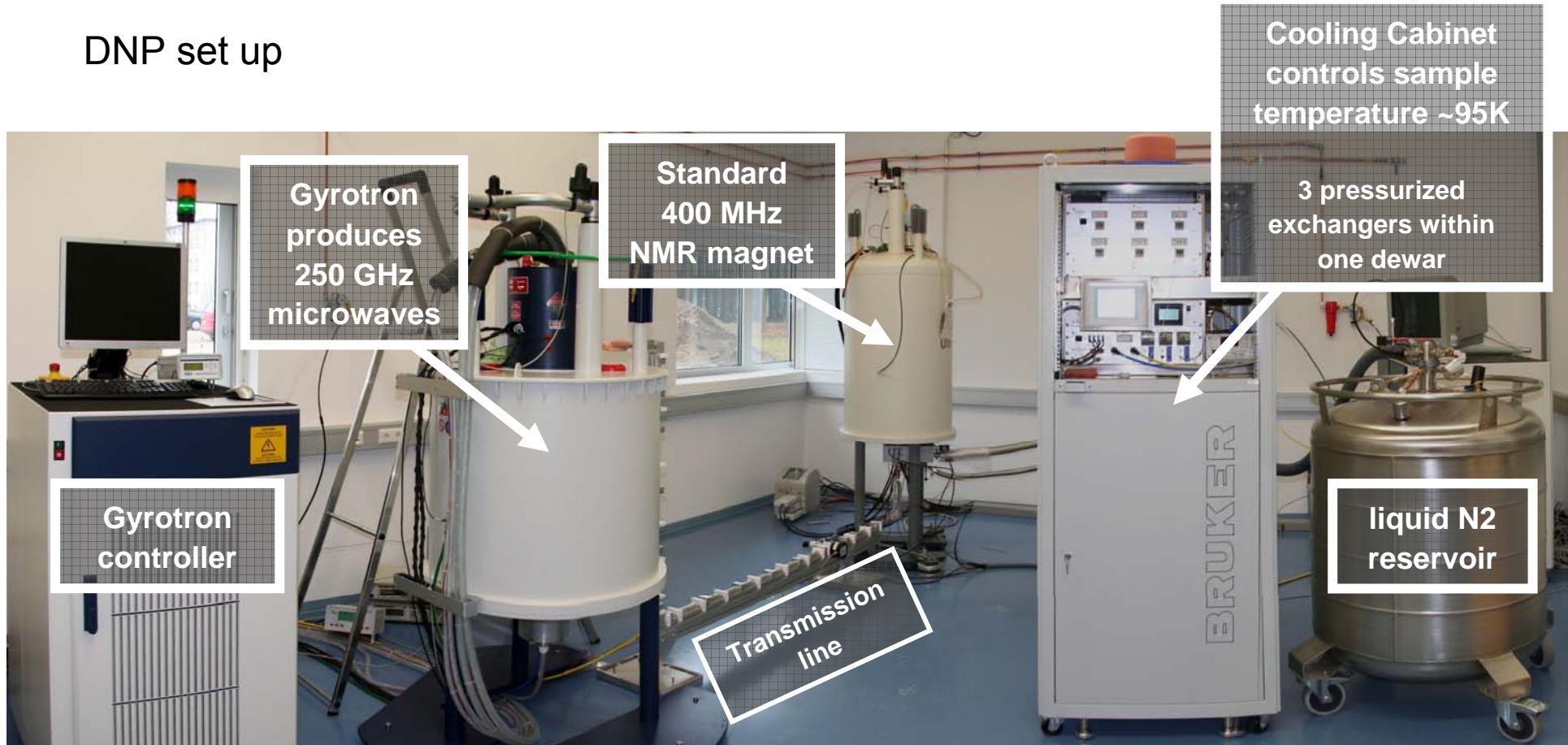
## DNP (dynamic nuclear polarization)

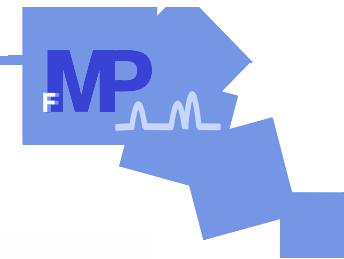




## DNP (dynamic nuclear polarization)

### DNP set up





## DNP (dynamic nuclear polarization)

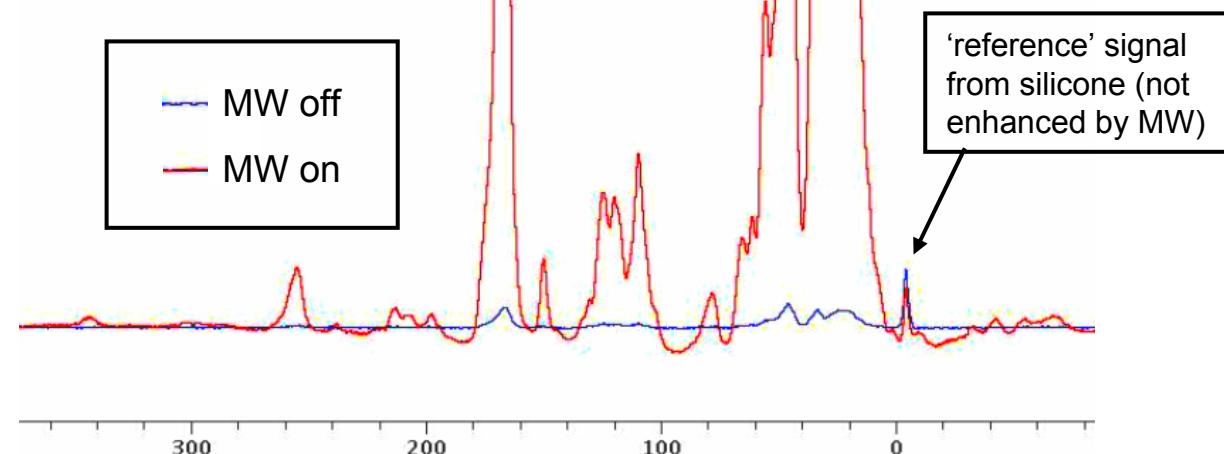
Test on an 'old' SH3 sample.

Added 20mM Totapol in D<sub>6</sub>-glycerol; 90% D<sub>2</sub>O; 10% H<sub>2</sub>O

signal enhancement is ~40

the same S/N can be achieved  
in  $40^2 = 1,600$  less time!!

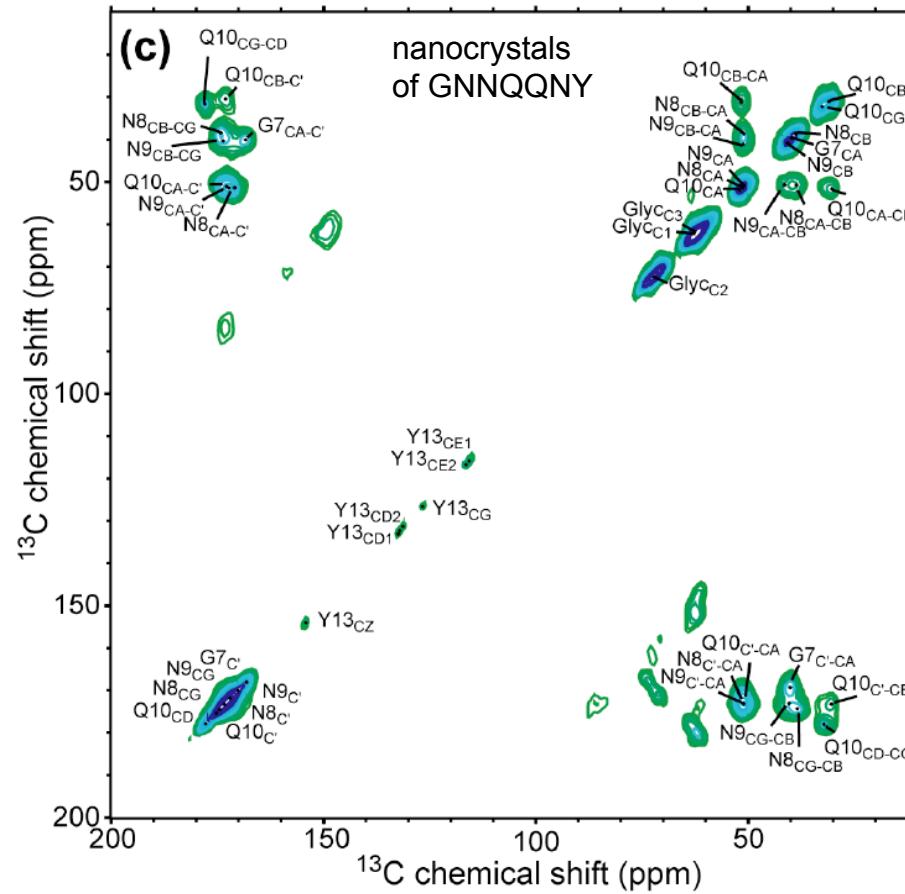
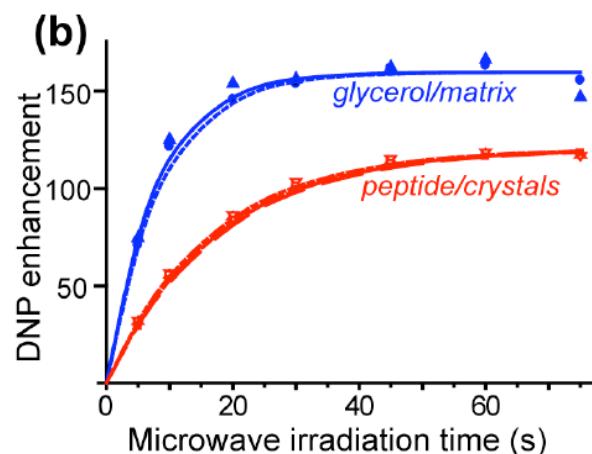
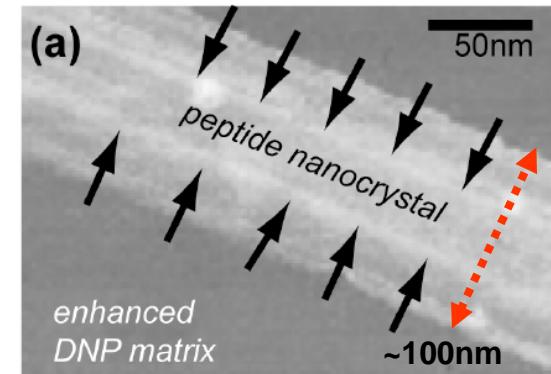
1 hour (DNP) vs. 66 days (no DNP)



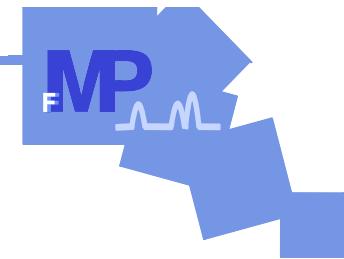
## DNP (dynamic nuclear polarization)

radicals not in direct contact with bulk nuclei → minimal line broadening by radicals

polarized  $^1\text{H}$  magnetization can penetrate into non-radical doped domains by spin diffusion



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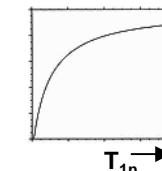
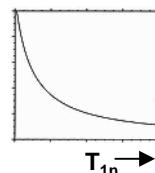


## DNP (dynamic nuclear polarization)

spin-lattice relaxation time ( $T_{1n}$ )

$T_{1n}$  = long: sufficient time for transfer from electrons and  $^1\text{H}$  spin diffusion

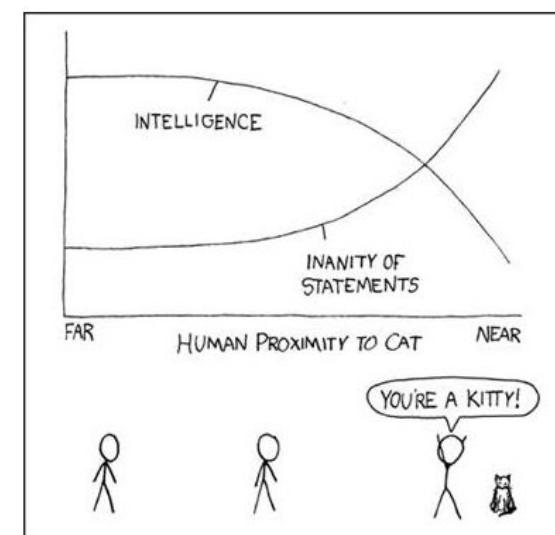
$T_{1n}$  = short: increased data collection rate

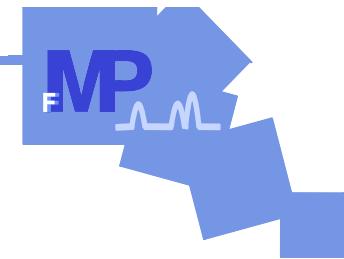


$T_{1n}$  lengthened by low temperature

$T_{1n}$  shortened by radicals, act as relaxation agents

$T_{1n} \sim 0.5 - 1.0\text{s}$





## DNP (dynamic nuclear polarization)

two mechanism: solid effect (SE) and cross effect (CE)

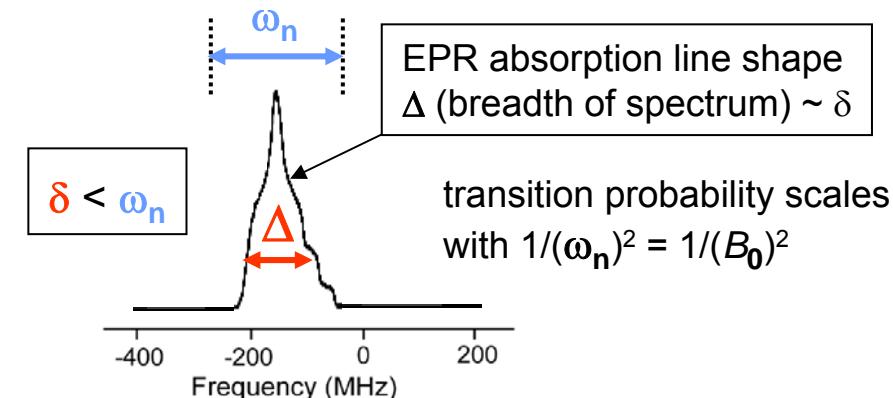
SE: possible when EPR linewidth ( $\delta$ ) <  $\omega_n$



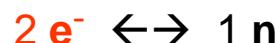
'forbidden transitions'

(second-order perturbation theory)

transition probability always low

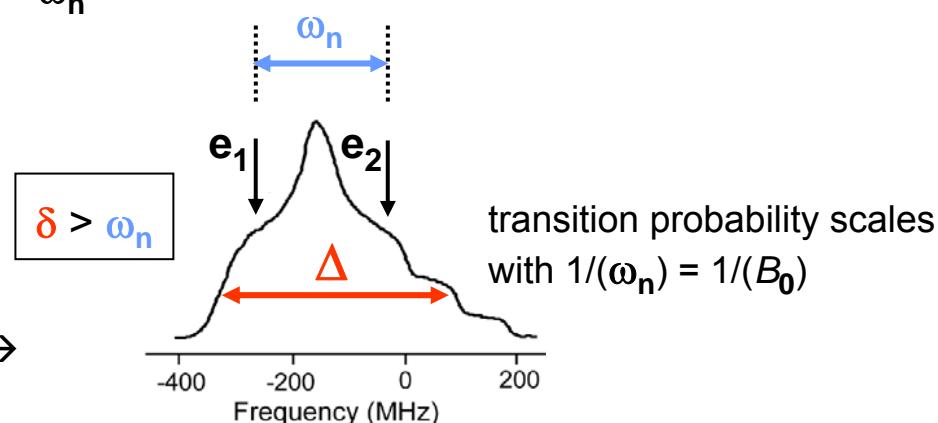


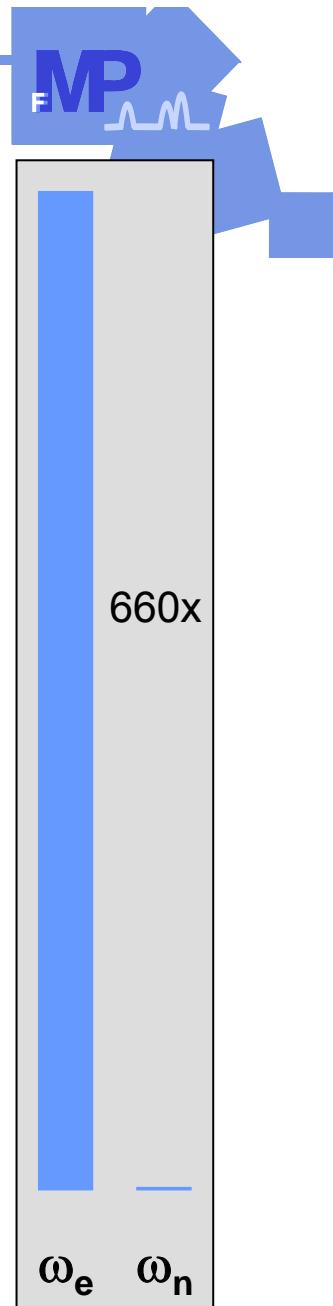
CE: possible when EPR linewidth ( $\delta$ ) >  $\omega_n$



two paired electrons, EPR frequencies separated by Larmor frequency

transition probability can be high at match → energy-conserved flip-flop process

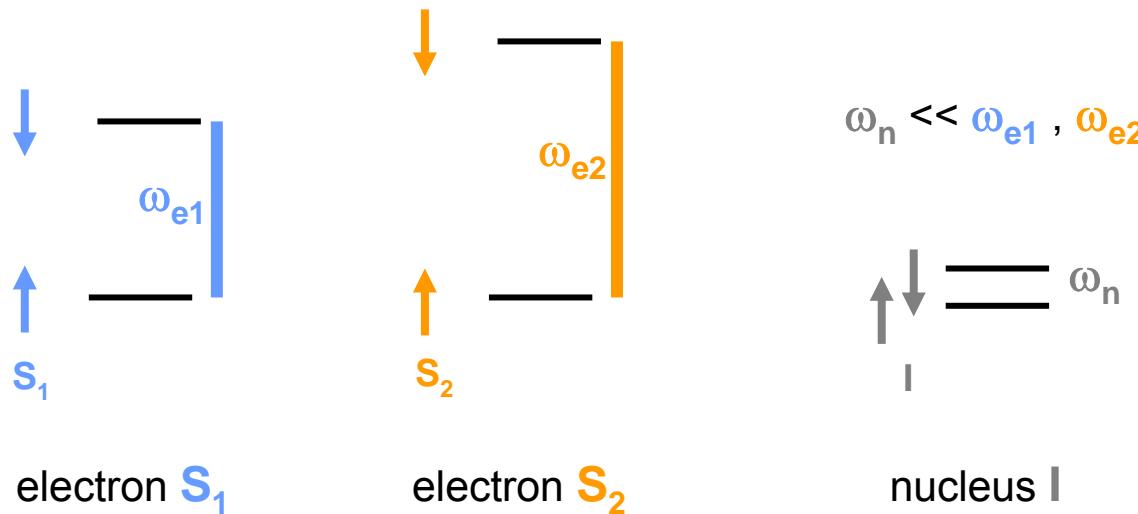




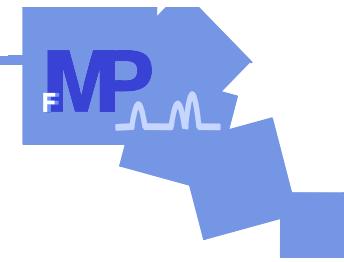
## DNP (dynamic nuclear polarization)

How does the cross effect work?

coupled system of two electrons ( $e1$  and  $e2$ ) and nucleus ( $n$ )



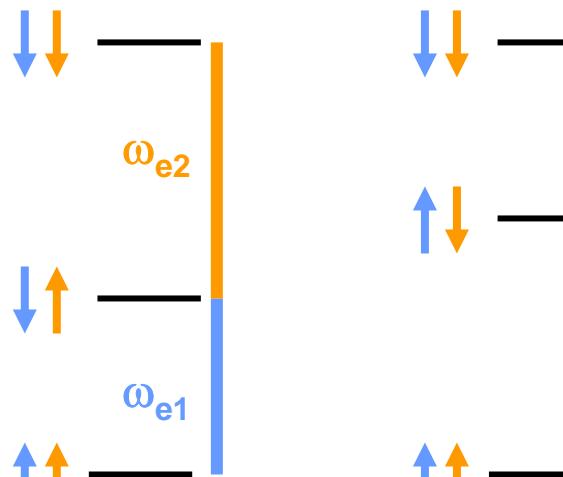
note: Zeeman splittings  $\omega_{e1}$  and  $\omega_{e2}$  about 660 times larger than  $\omega_n$  !!



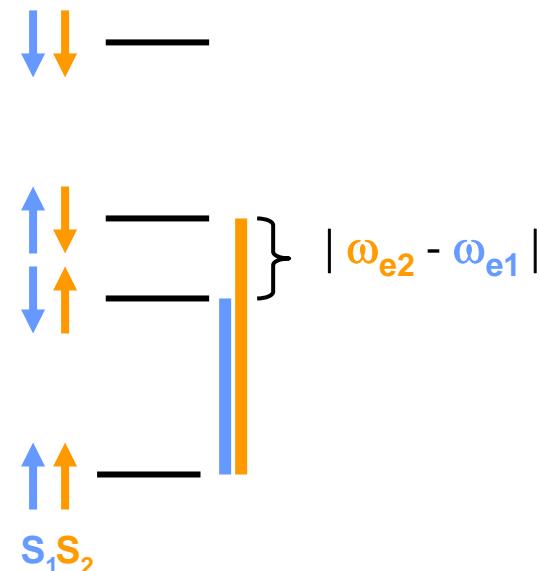
## DNP (dynamic nuclear polarization)

cross effect

two coupled electron spins give rise to four energy levels

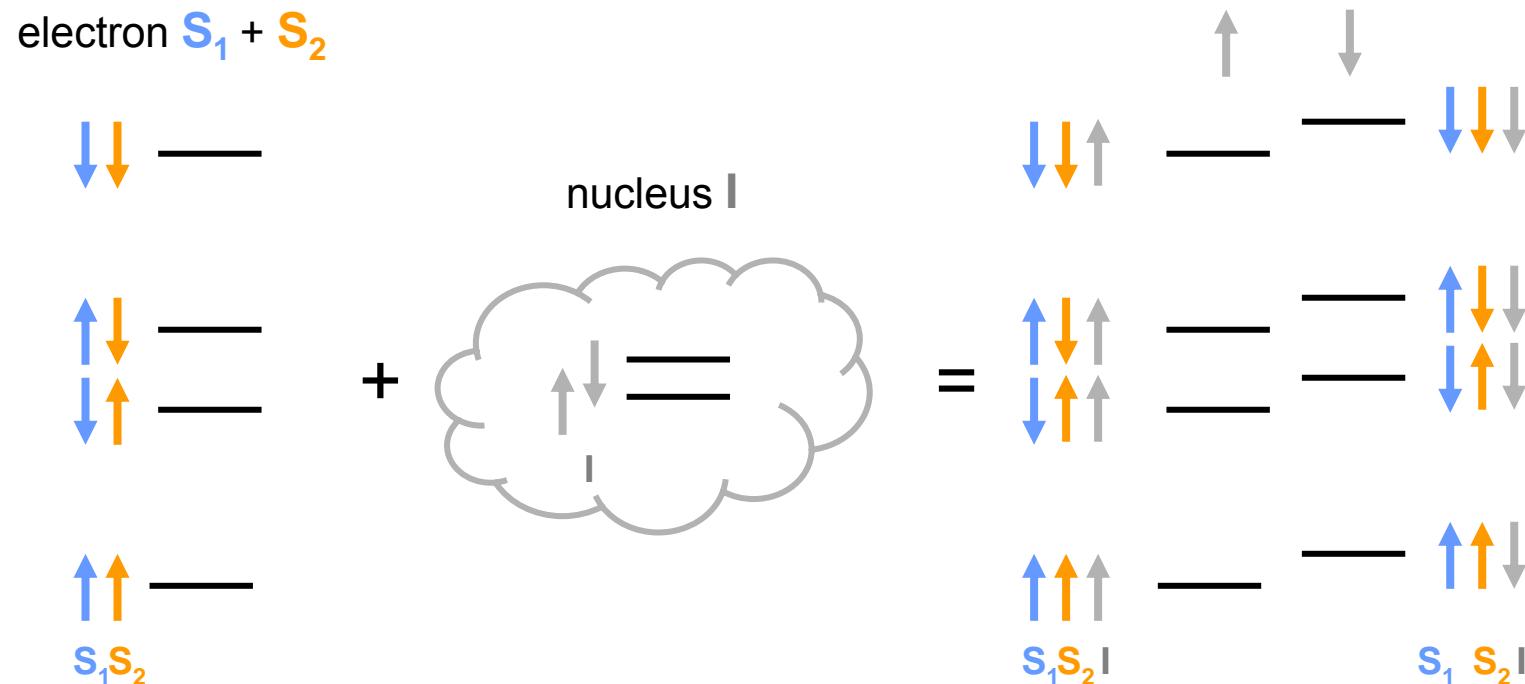


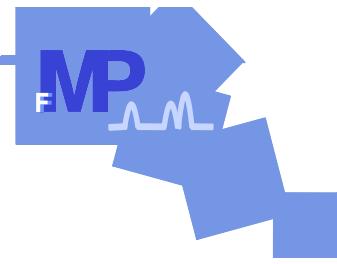
electron  $\mathbf{S}_1 + \mathbf{S}_2$



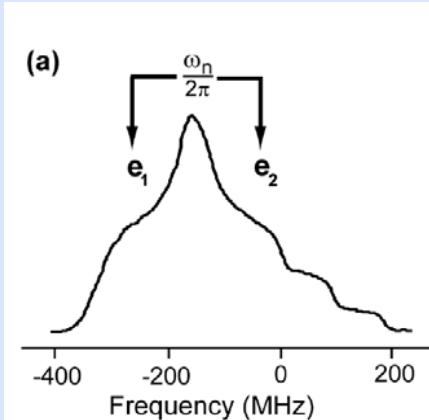
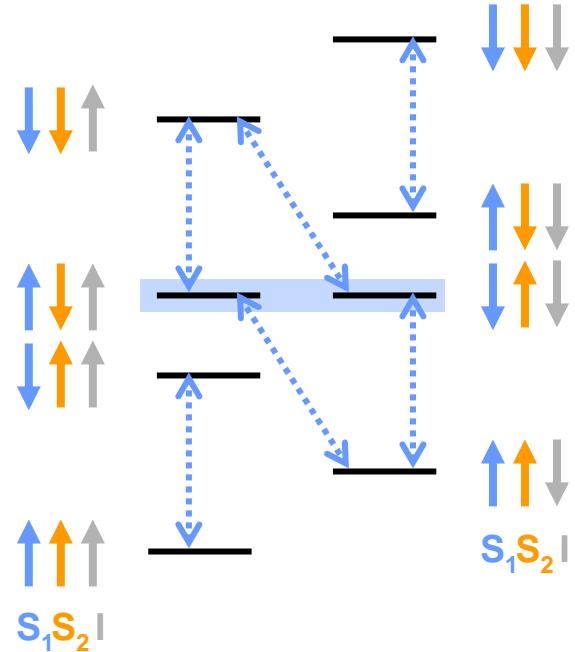
## DNP (dynamic nuclear polarization)

now also add the nuclear spin...





## DNP (dynamic nuclear polarization)



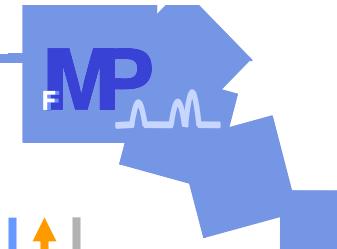
when the matching condition

$$|\omega_{e2} - \omega_{e1}| = \omega_n$$

is fulfilled, the levels  $\uparrow\downarrow\uparrow\downarrow$  and  $\downarrow\uparrow\downarrow\uparrow$  are degenerate

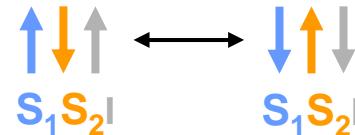
Irradiating with MW at frequency  $\omega_{e1}$  will not only saturate  $S_1$  ( $\uparrow$  and  $\downarrow$ )  
 but also the pair  $S_2\downarrow$  ( $\uparrow\downarrow$  and  $\downarrow\uparrow$ ), if matching condition is fulfilled



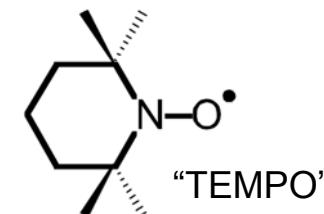


## DNP (dynamic nuclear polarization)

irradiation at resonance frequency  $\omega_{e1}$  of **e1** will produce simultaneous spin flip of both **e2** and the nucleus **n**

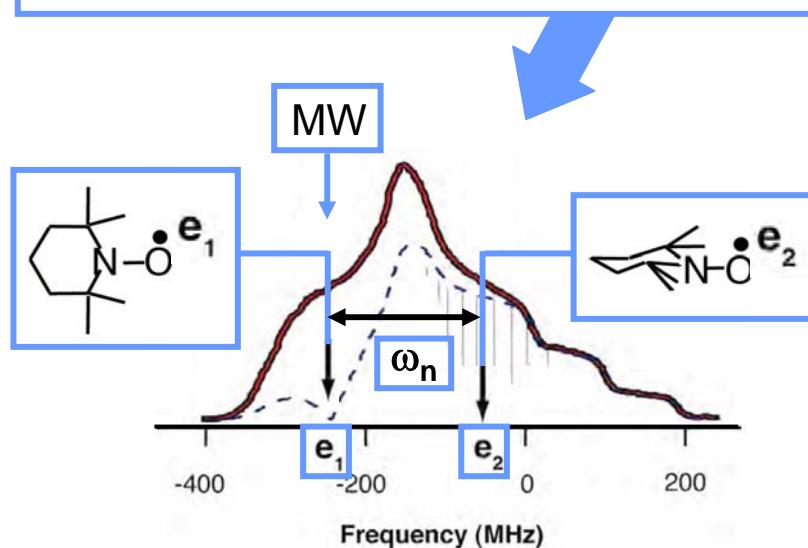


using a single-radical polarization agent (e.g., TEMPO)

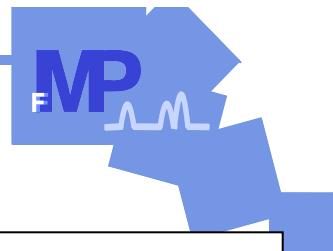


two TEMPO molecules must have:

- correct distance
- correct relative orientation



use of mono-radicals is inherently inefficient:  
only a fraction of the spins in a powder have correct distance and relative orientations to contribute to DNP



## DNP (dynamic nuclear polarization)

the trick:

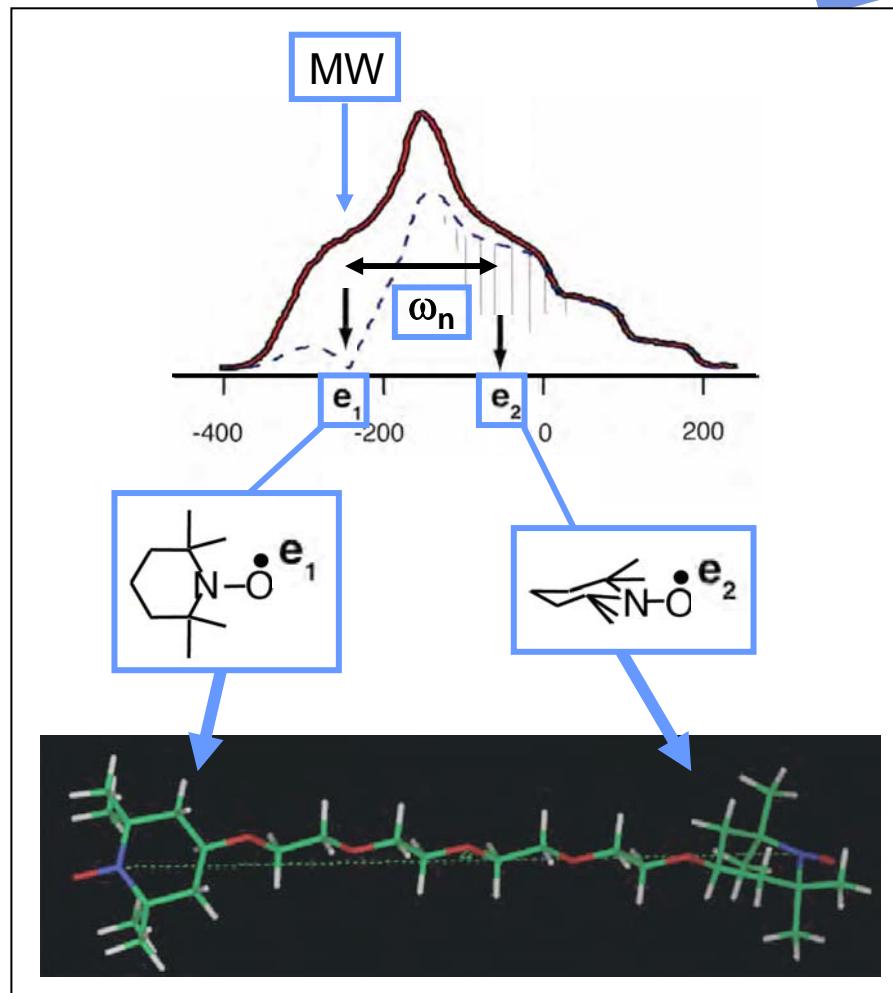
use biradicals instead of mono-radicals

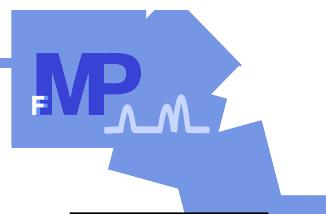
the 'perfect' biradical:

both distance *and* angle of the two radicals provide the correct frequency difference between the two electrons

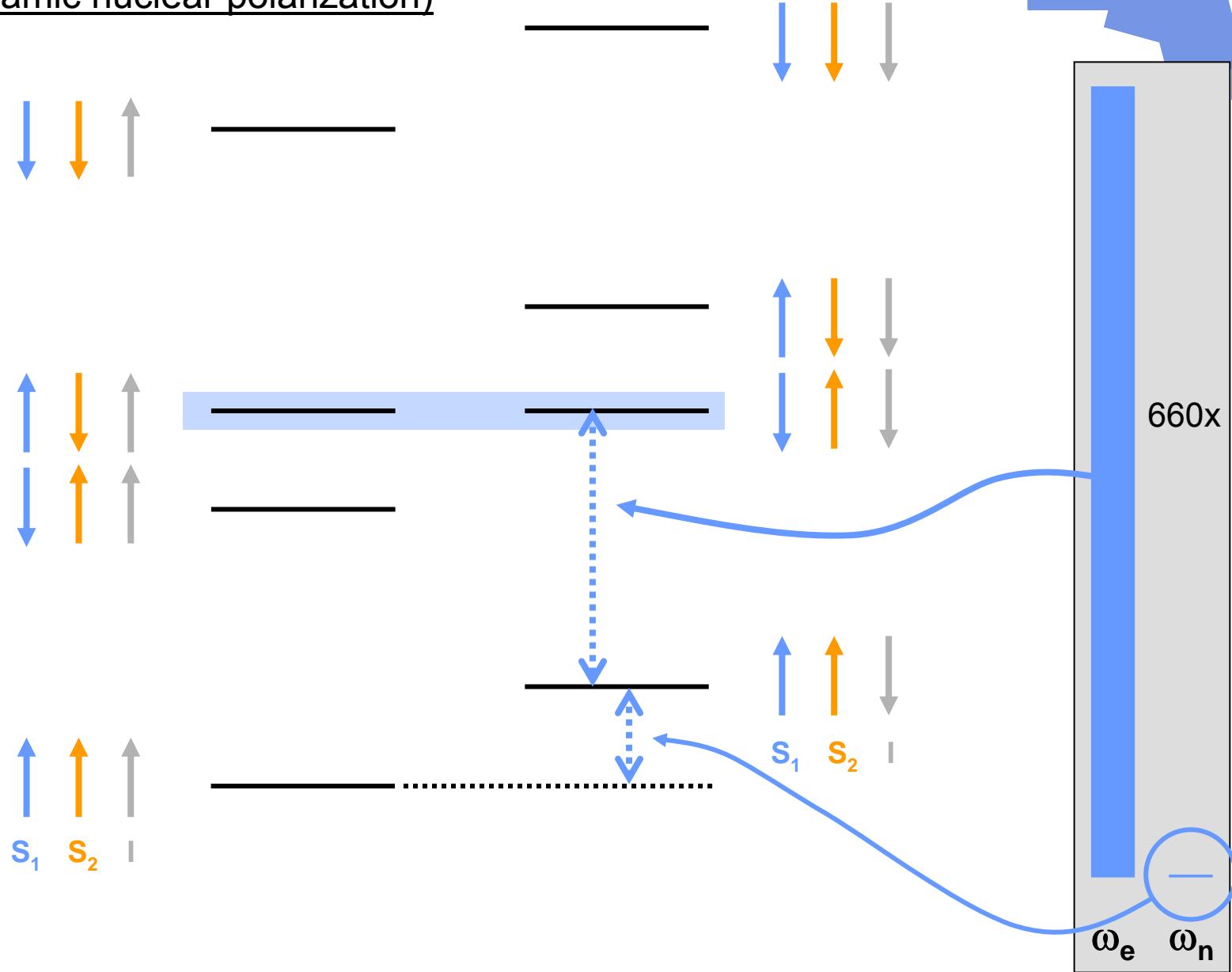
more efficient than mono-radicals

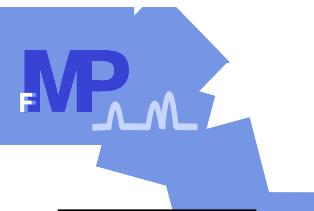
→ concentration of radical centres can be much lower



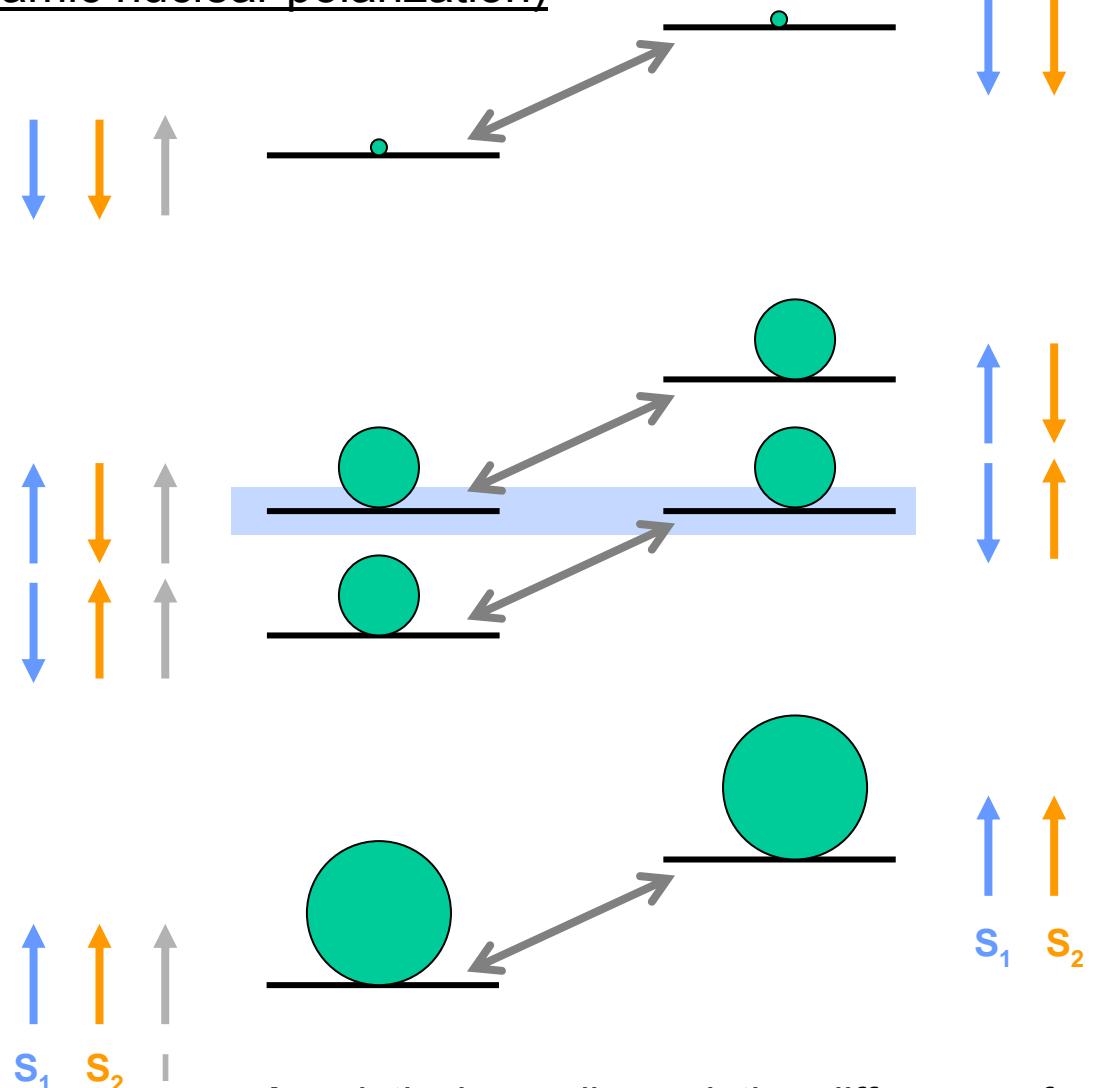


## DNP (dynamic nuclear polarization)

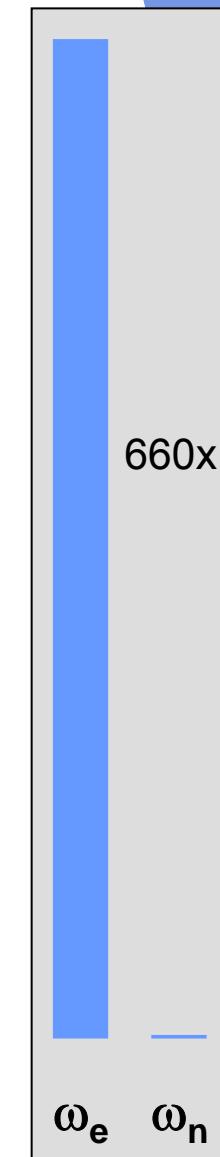




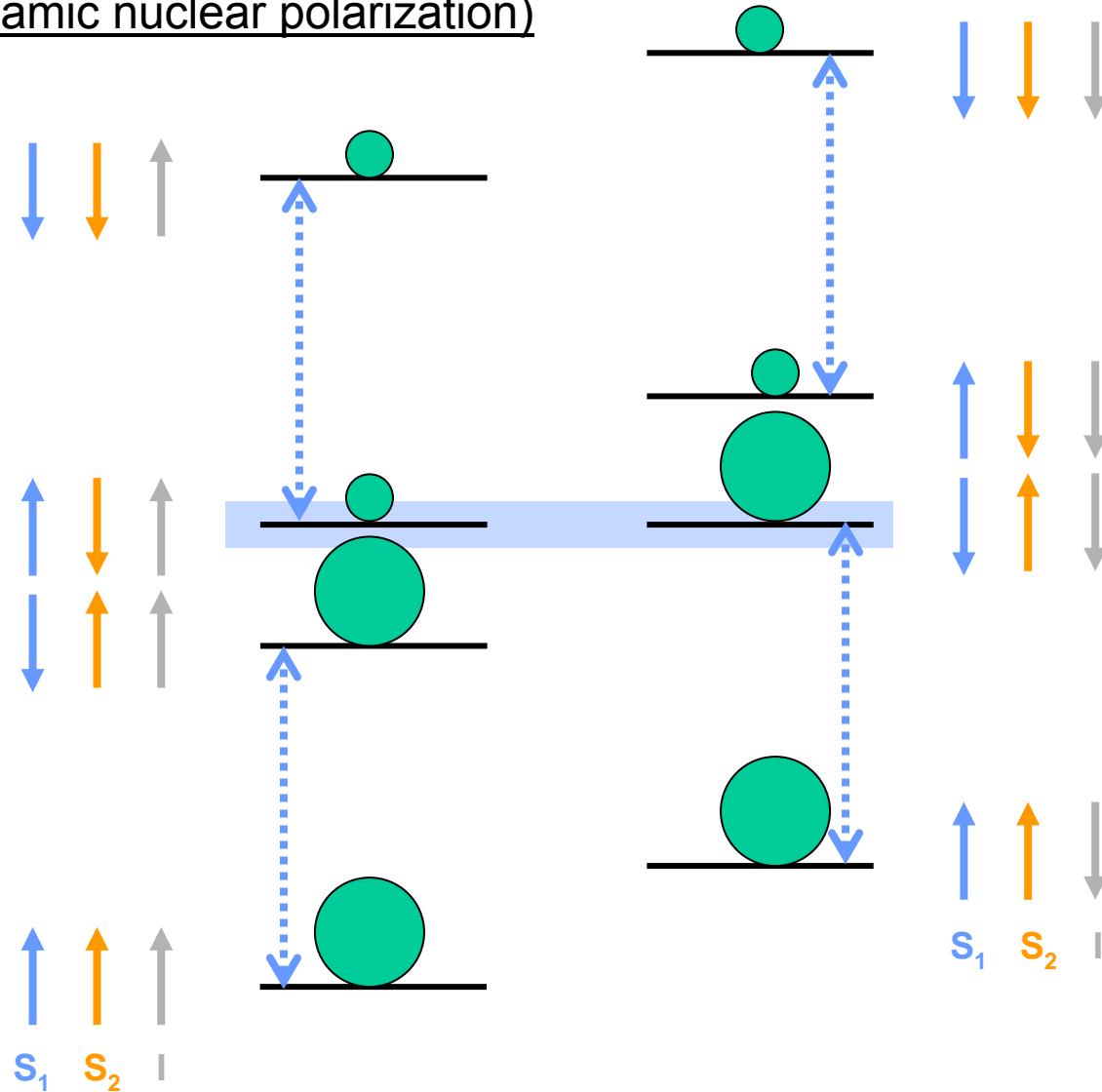
## DNP (dynamic nuclear polarization)



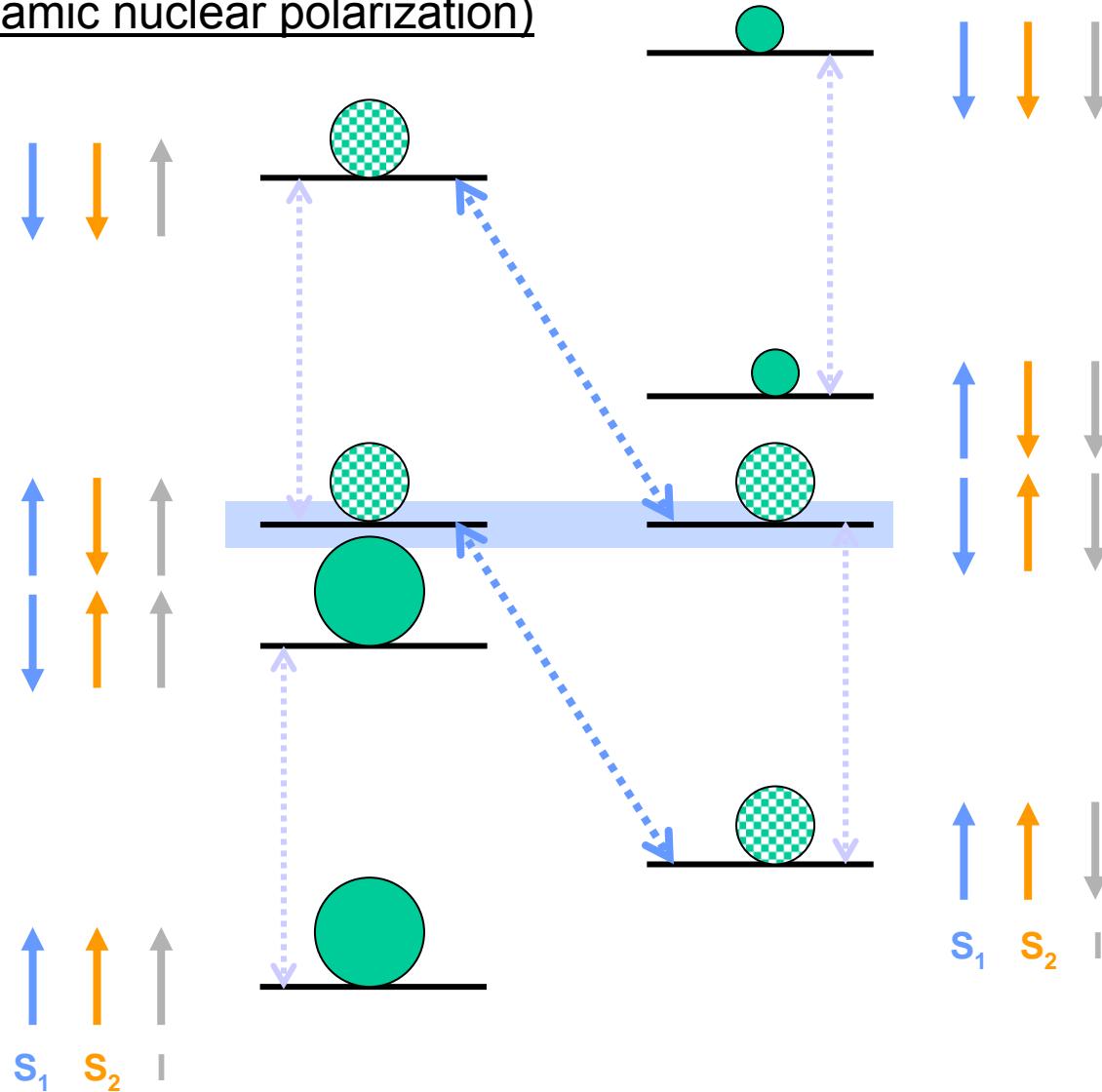
→ relatively small population differences for the NMR transitions (i.e. the 'normal' NMR population difference)



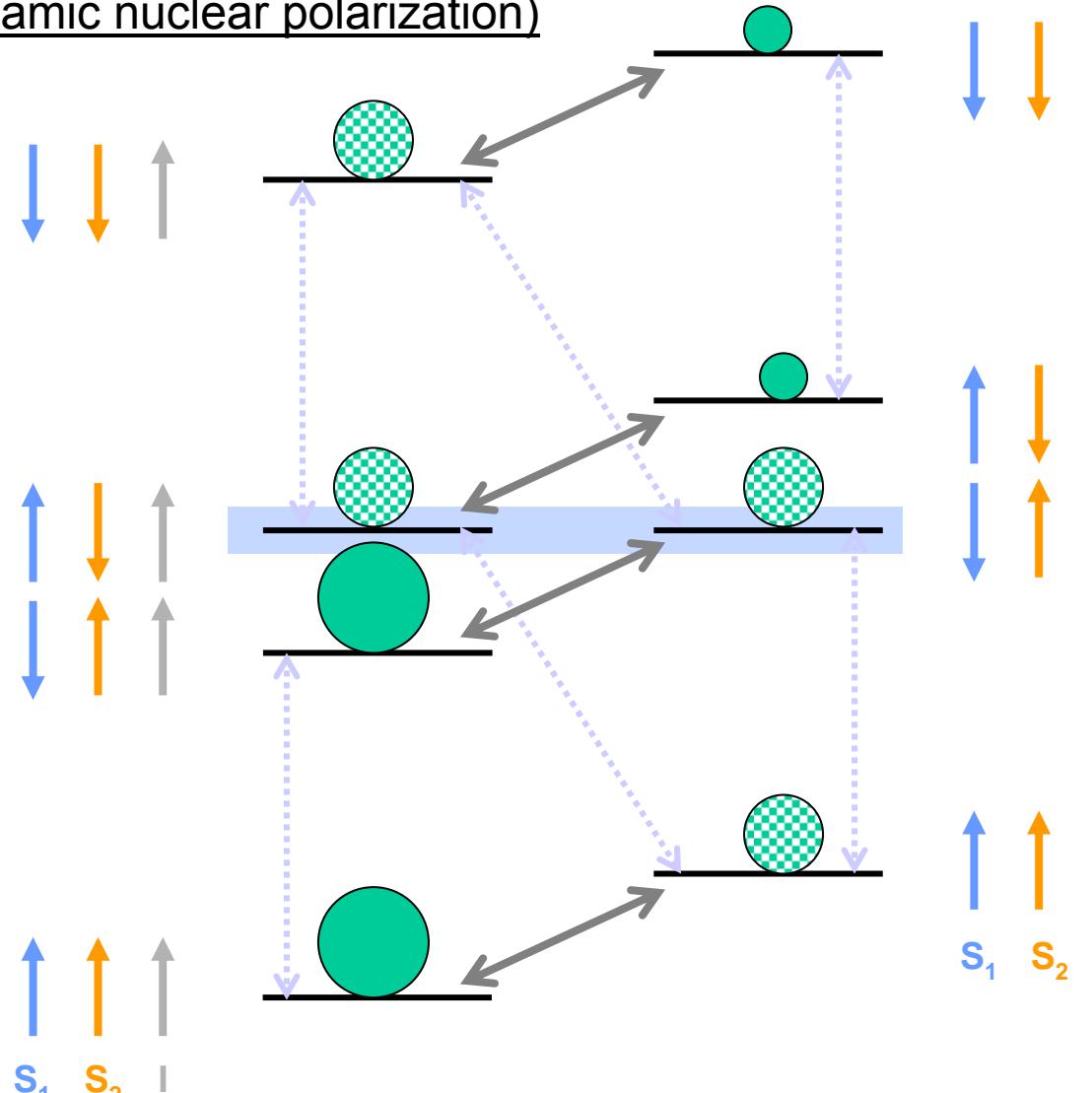
## DNP (dynamic nuclear polarization)



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→ large population differences for the NMR transitions

